

Ultra-High energy cosmic rays acceleration at GRBs internal shocks

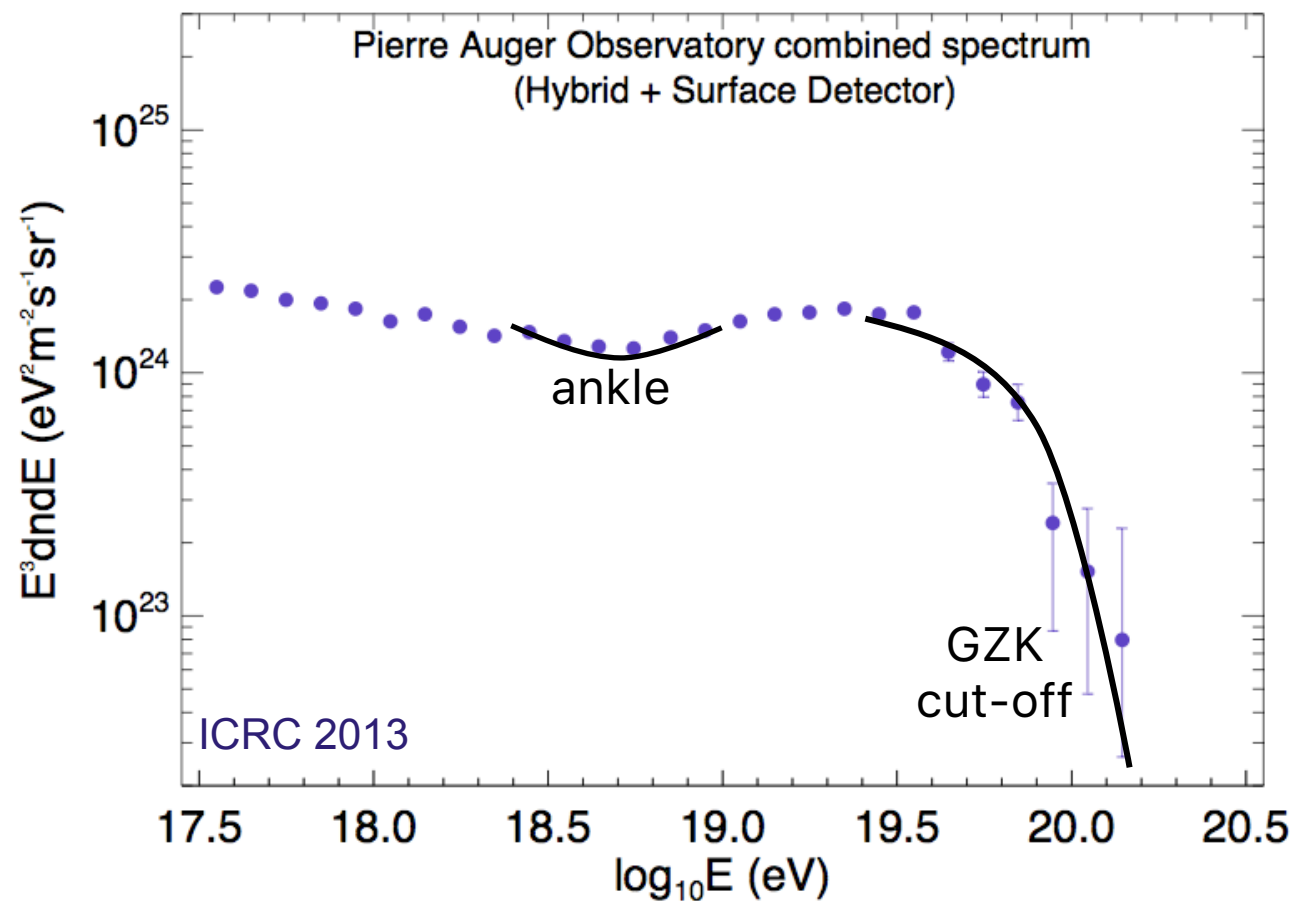


N. Globus (Jerusalem University), **D. Allard (APC, Paris)**, R. Mochkovitch (IAP, Paris) & E. Parizot (APC, Paris)

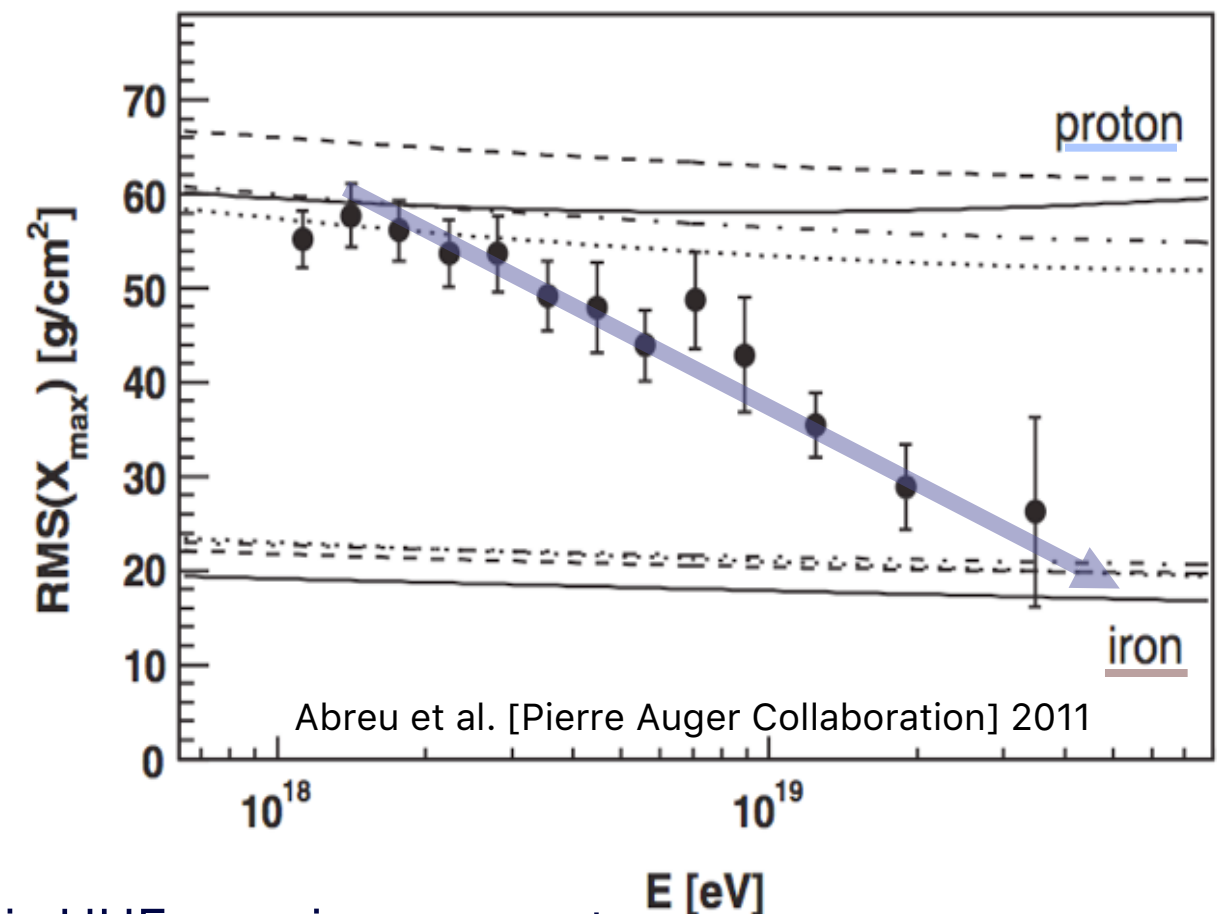
The physics of relativistic outflows, **march 23rd 2016, Toulouse France**

Situation at ultra-high energy : Recent results from the Pierre Auger Observatory

Energy spectrum



Mass spectrum



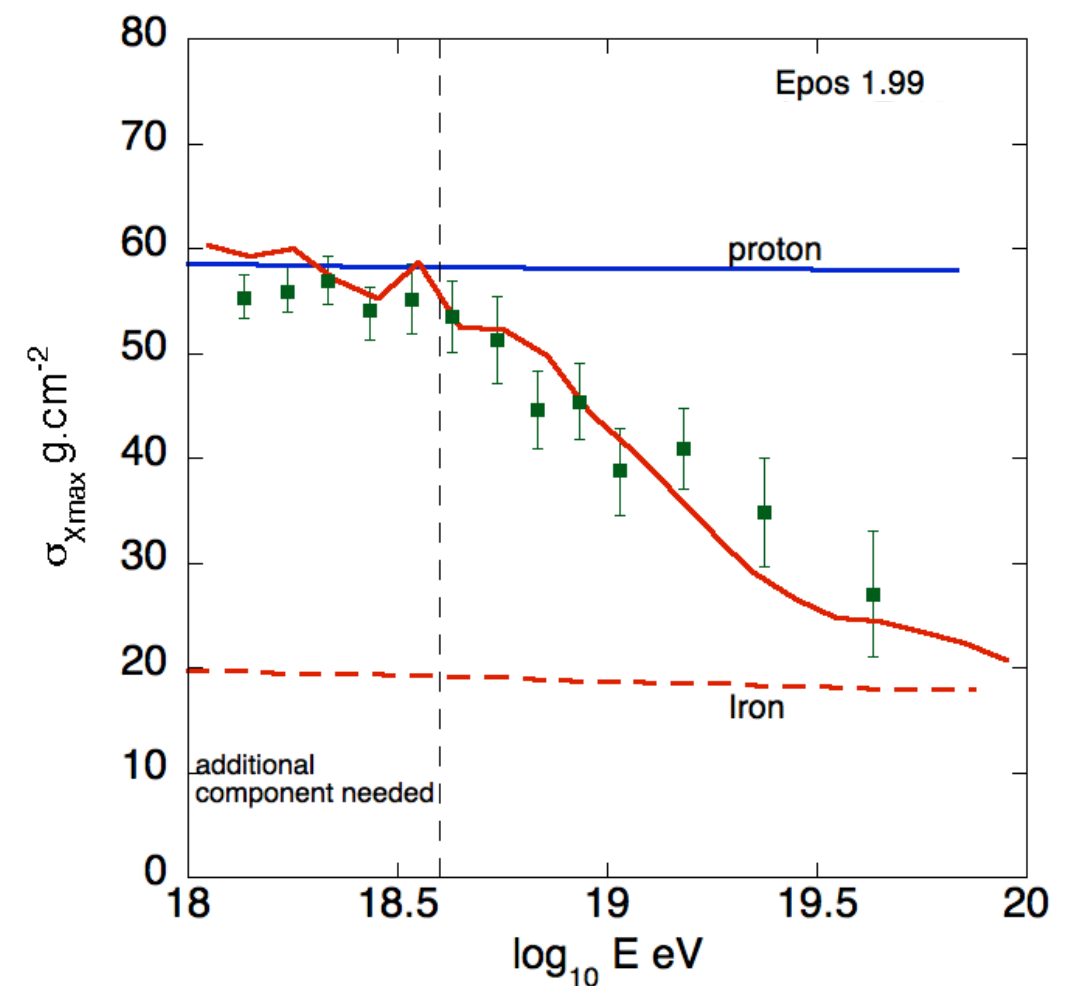
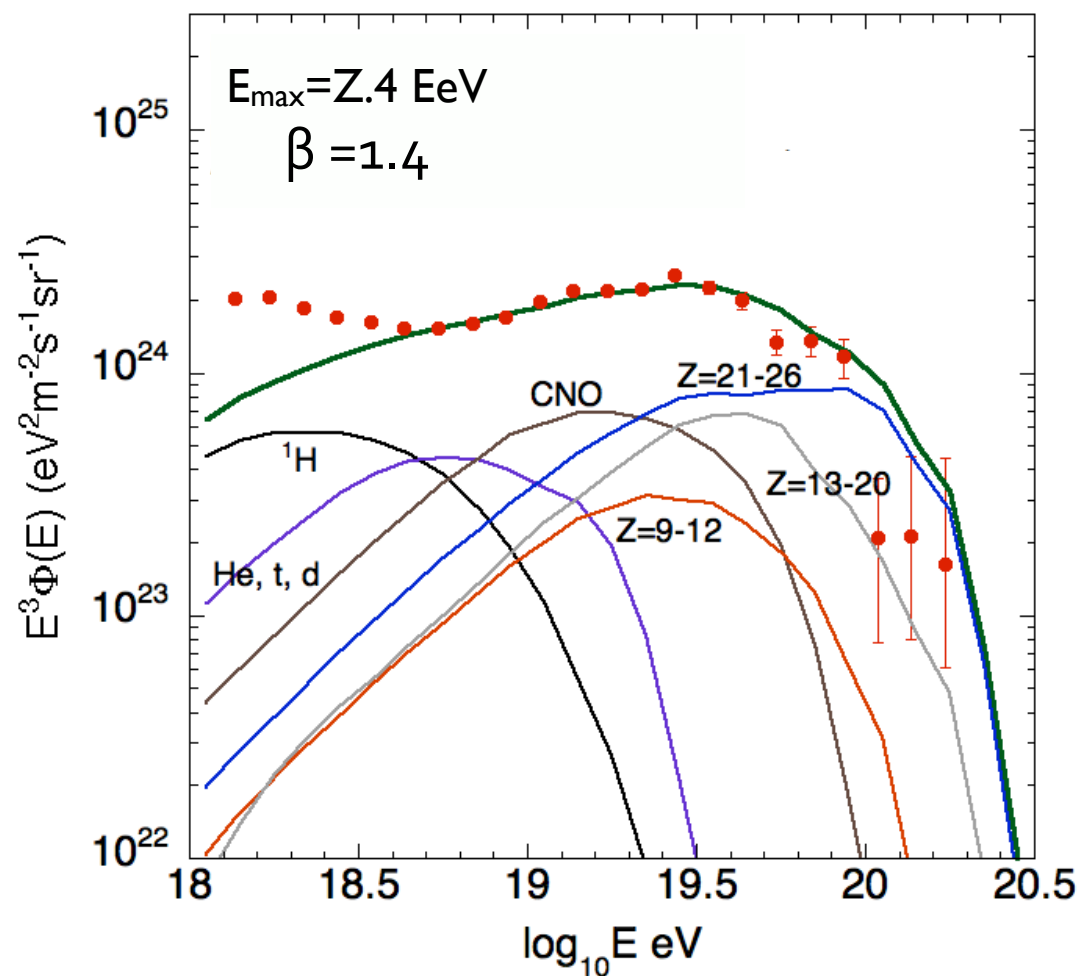
Evidence for two important features in UHE cosmic-rays spectrum :

- The ankle
- Suppression of the flux above $3\text{-}4 \times 10^{19}$ eV

Transition from a light composition at the ankle to a heavier composition above 10^{19} eV

What sources for those extragalactic high energy nuclei ?

Situation at ultra-high energy : Recent results from the Pierre Auger Observatory



The spectrum and composition can be fitted with (over-)simple astrophysical models (same source spectrum for all the species, maximum energy proportional to Z , standard candle sources), good fits require

- A low value of the maximum energy of protons $E_{\text{max}} \approx 3\text{-}10 \text{ EeV}$
- A hard source spectral index ($\beta \approx 1\text{-}1.5$)

Interesting but limited exercise :

With all the simplifying hypotheses used in these calculation the fit parameters are only “effective parameters” and their interpretation remain unclear (for instance how should we understand the required value of β ?) ==> more elaborated source models might provide better clues about what is going on

Our calculation : modeling of UHECR acceleration at GRBs internal shocks

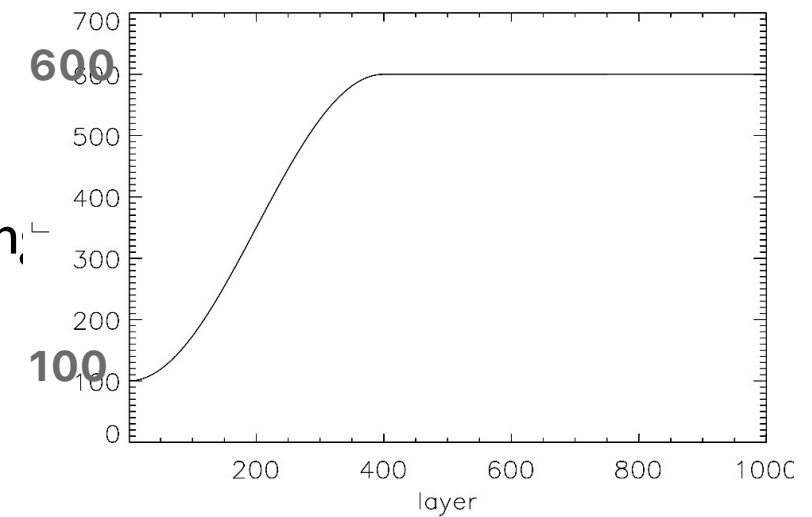
- Modeling of the internal shock according to Daigne & Mochkovitch 1998 (“solid layers” collision model)
⇒ give us an estimate of the physical quantities at the internal shocks based on a few free Parameters
- Calculation of the prompt emission SED according to Daigne, Bosnjak & Dubus 2009
⇒ SED are used as soft photons target for the accelerated cosmic-rays
- Mildly relativistic acceleration of cosmic-rays using the numerical approach of Niemiec & Ostrowski 2004-2006
⇒ shock parameters are given by the internal shock model
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Modeling of an internal shock

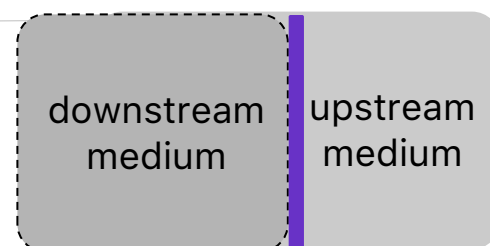
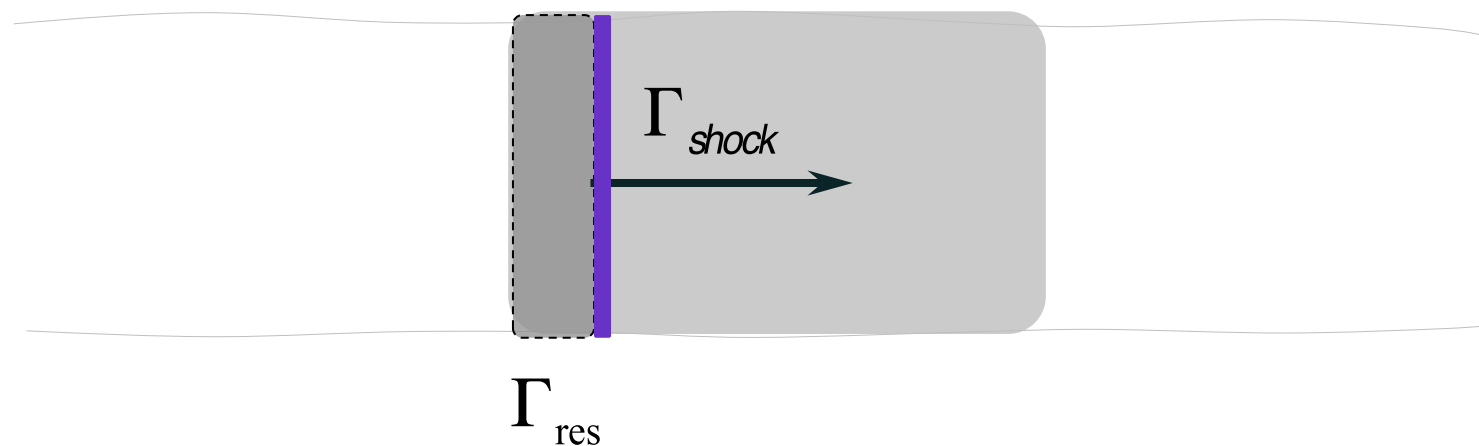
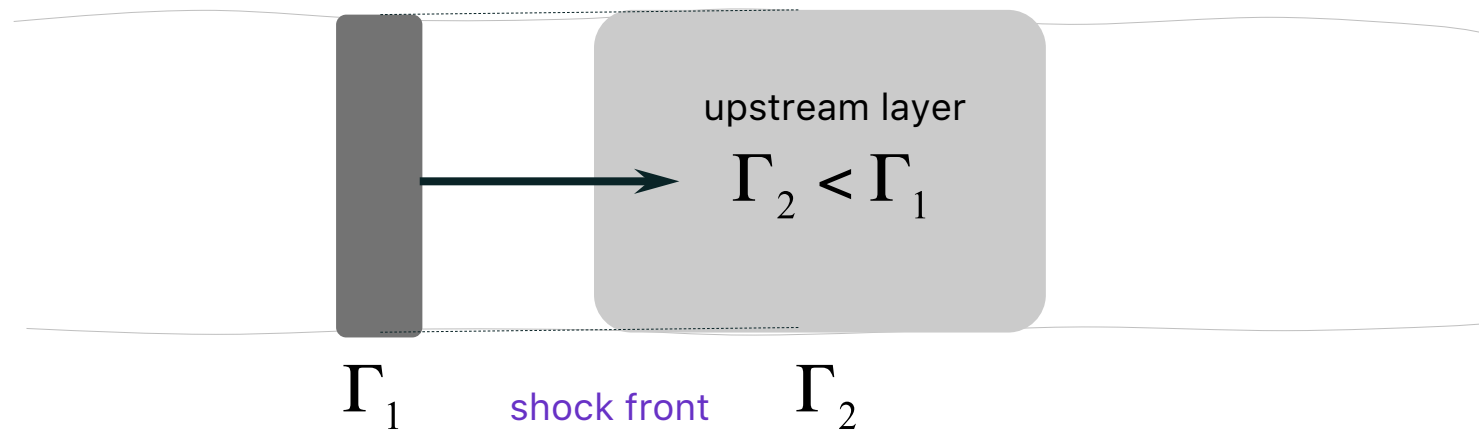
We follow Daigne & Mochkovitch 1998 : a relativistic wind with a varying

Lorentz factor is decomposed in discretized solid layers

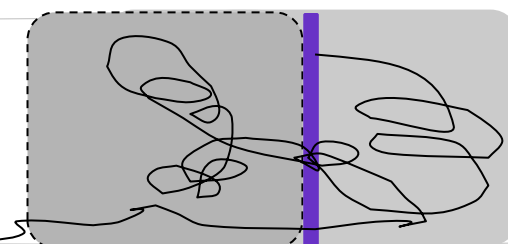
⇒ Layers collisions mimic the propagation of a shock in the wind



Lorentz factor profile

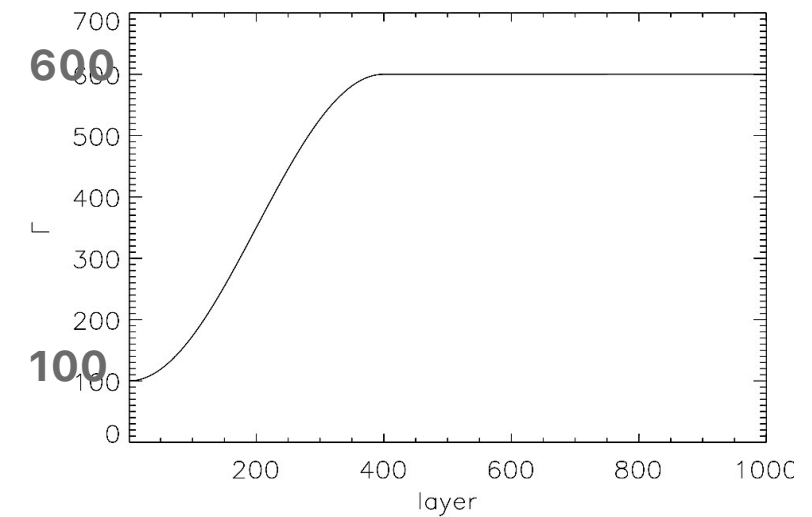


Fermi acceleration

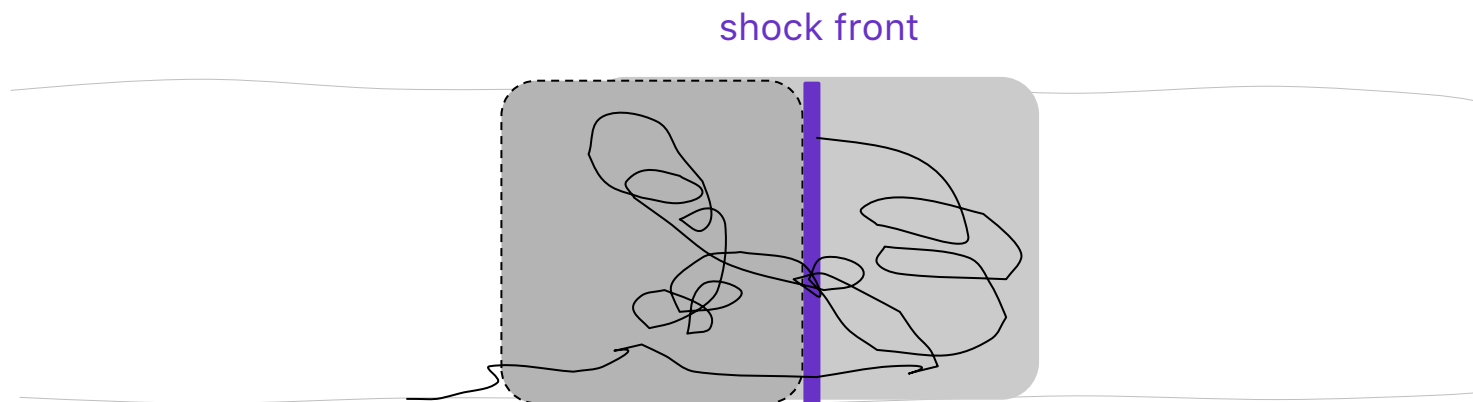


Modeling of the internal shock

According to Daigne & Mochkovitch 1998 : a relativistic wind with a varying Lorentz factor is decomposed in discretized solid layers
 \Rightarrow Layers collisions mimic the propagation of a shock in the wind



Lorentz factor profile



...needed for acceleration

B_{rms} (downstream), Γ_{shock} , Γ_{res}

...needed for energy losses

$r_{\text{shock}}(t)$

$$\frac{1}{E} \frac{dE}{dt} = t_{\text{exp}}^{-1} = \frac{\Gamma_{\text{res}} c}{r_{\text{shock}}}$$

matter density,
photon background...

wind free parameters :

wind luminosity L_{wind} , wind duration t_{wind} (in the following we use $t_{\text{wind}}=2\text{s}$ and $L_{\text{wind}}=10^{51}-10^{55} \text{ erg.s}^{-1}$ isotropic)

shock free parameters :

$\epsilon_e, \epsilon_B, \epsilon_{\text{CR}}$ equipartition factors for the released energy

Three energy partition models

- Model A : equipartition, $\epsilon_e = \epsilon_B = \epsilon_{CR} = 0.3333 \rightarrow$ **gamma efficiency $\sim 5\% \rightarrow L_\gamma \sim L_{wind}/20$**

We use L_{wind} between 10^{51} and 10^{55} erg.s⁻¹ $\rightarrow L_\gamma$ between 5.10^{49} and 5.10^{53} erg.s⁻¹

- Models B and C : much lower fraction of the energy goes to electrons \rightarrow lower efficiency in gamma-ray \rightarrow larger wind luminosity required to produce the same gamma-ray emission as Model A

L_{wind} between 3.10^{53} and 3.10^{55} erg.s⁻¹ $\rightarrow L_\gamma$ between 5.10^{49} and 5.10^{53} erg.s⁻¹ \rightarrow gamma efficiency between $\sim 0.01\%$ and 1%

model B

Assumptions

$$\epsilon_e \ll 1$$

$$\epsilon_B \sim 0.1$$

$$\epsilon_{CR} \sim 0.9$$

model C

Assumptions

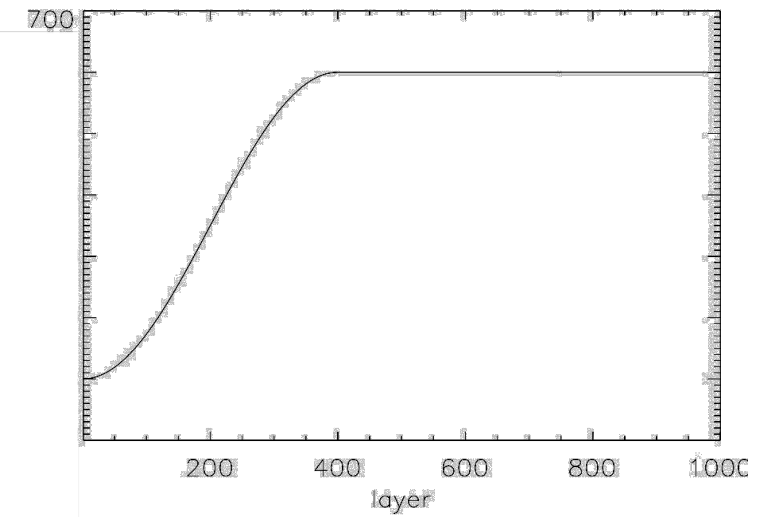
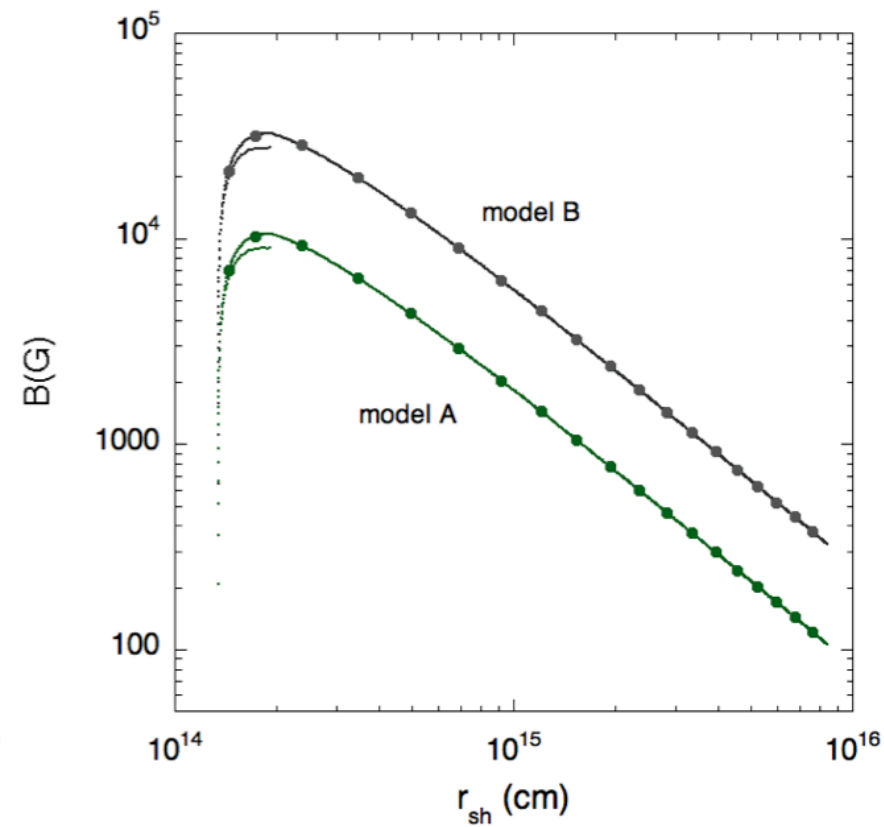
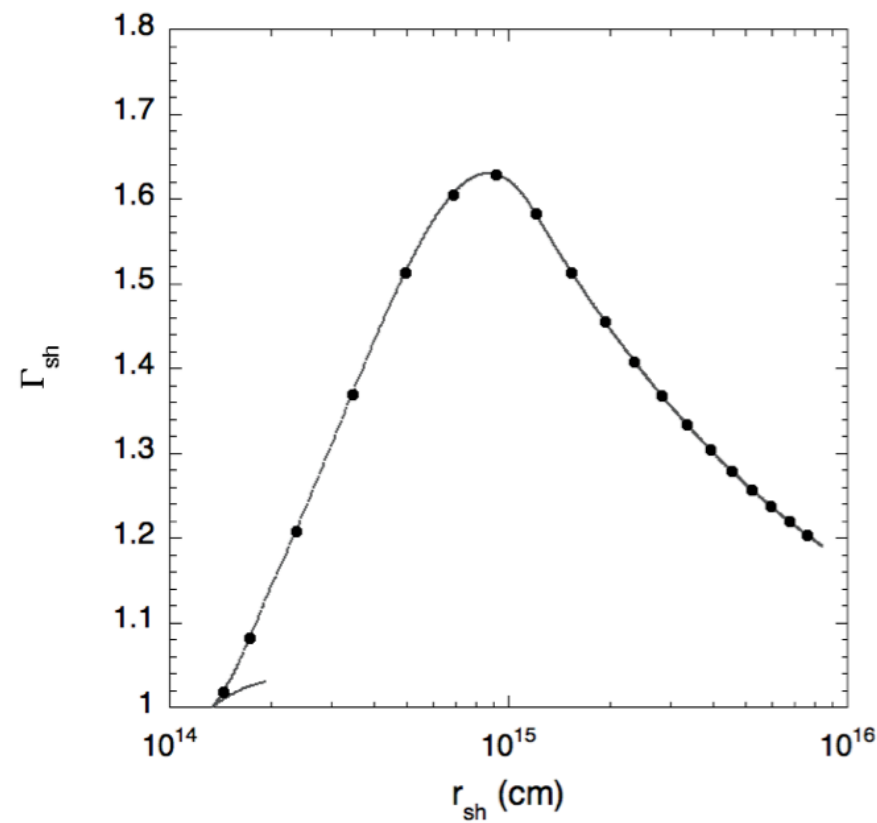
$$\epsilon_e \ll 1$$

$$\epsilon_B \sim 0.33$$

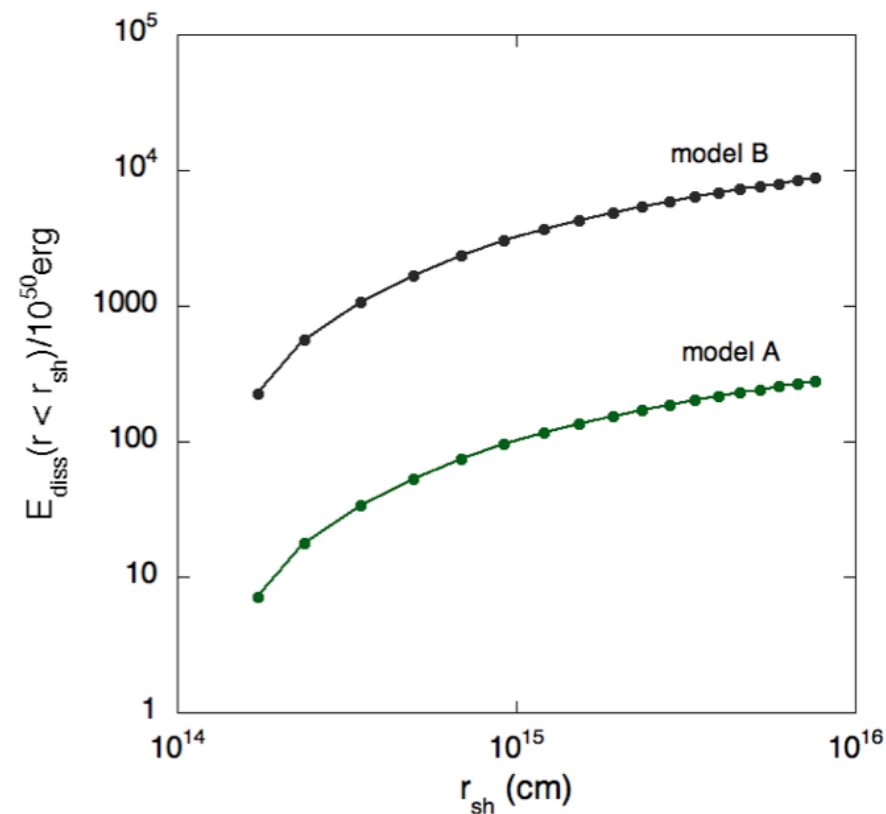
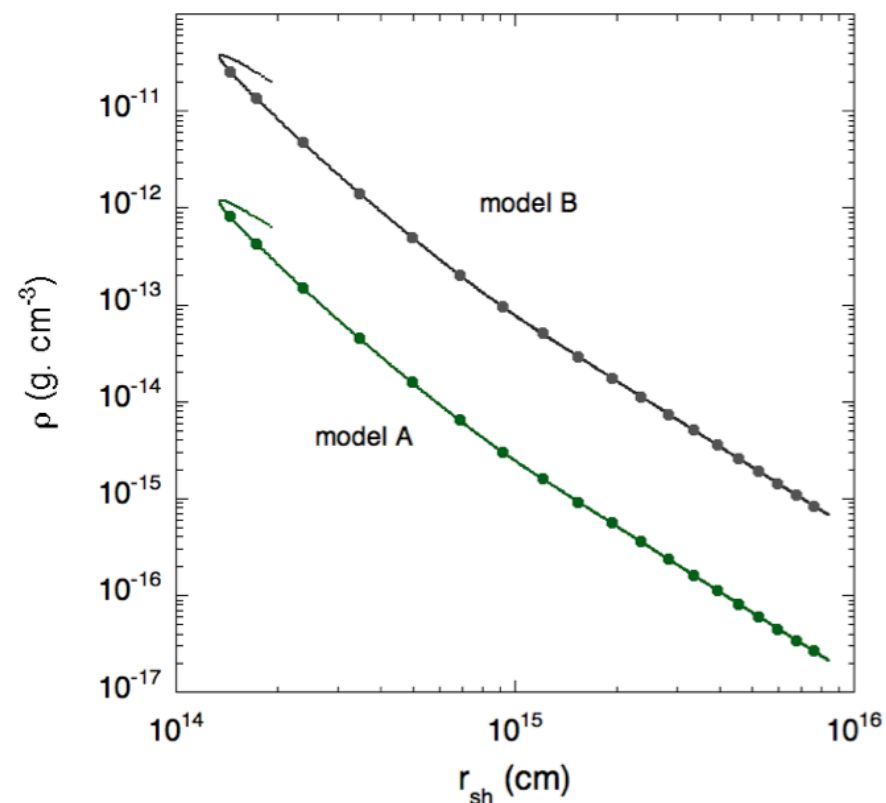
$$\epsilon_{CR} \sim 0.66$$

L_{wind}	$L_{wind, eq}$	L_{gamma}
3.10^{53}	10^{51}	5.10^{49}
10^{54}	10^{52}	5.10^{50}
3.10^{54}	10^{53}	5.10^{51}
10^{55}	10^{54}	5.10^{52}
3.10^{55}	10^{55}	5.10^{53}

Single synthetic pulse



Lorentz factor profile



Example:

$$\tau_{wind} = 2s$$

$$L_{wind}^{eq} = 10^{53} \text{ erg.s}^{-1}$$

($L_{wind} = 3 \cdot 10^{54} \text{ erg.s}^{-1}$ for model B)

18 “snapshots”

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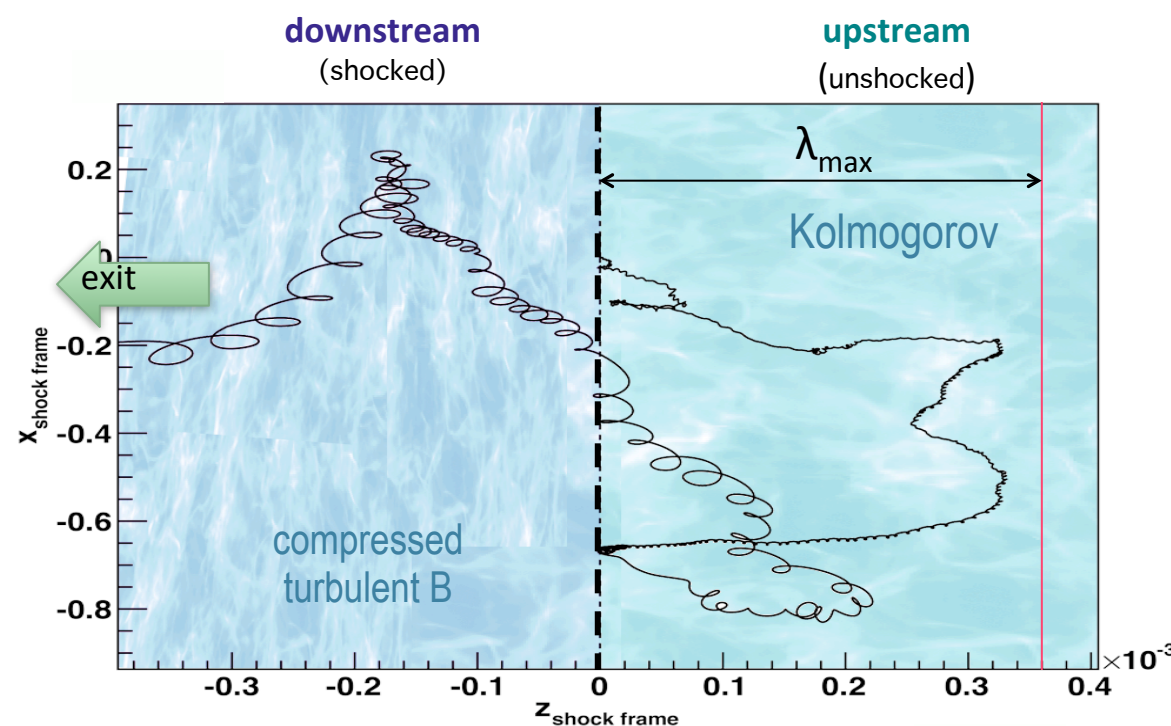
Numerical method for CR acceleration at relativistic shock

We follow Niemiec & Ostrowski 2004-2006 method to simulate Fermi cycles at relativistic shocks :
Full calculation of particles trajectories and shock crossing → Fermi cycles

- Needs assumption on the magnetic field configuration upstream
 - jump conditions given by Sygne 1957 for relativistic shocks
- **B** compressed and amplified in the direction perpendicular to the shock normal

- We assume a Kolmogorov-type turbulence upstream in what follows

- Needs assumptions on free boundaries :



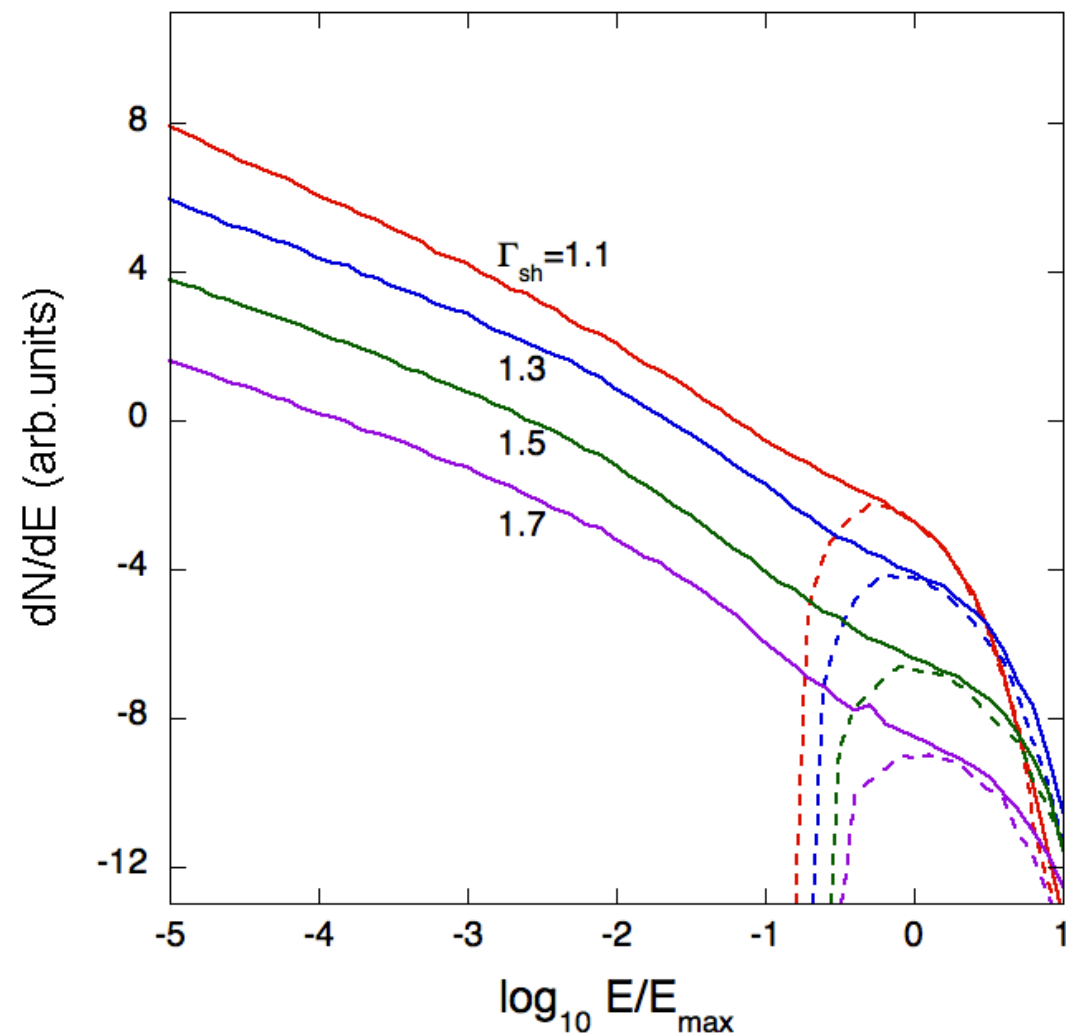
Particle trajectory (3D) in the shock frame
9 cycles before escaping downstream. Energy gain~ 70.

Downstream boundary is set by the comoving width of the shocked medium at a given stage of the shock propagation → Input from F. Daigne hydrodynamical code

Upstream we assume that the turbulence does not extend further than a distance $10\lambda_{\text{max}}$ from the shock (λ_{max} is the maximum turbulence scale)

Spectra of accelerated cosmic rays

$$E_{\max} \text{ definition : } r_L(E_{\max}) = \frac{E_{\max}}{eZB} \equiv \lambda_{\max}$$



- Escape upstream : high pass filter
(select particles in the weak scattering regime)
- Escape downstream : should become a high pass filter
in presence of energy losses (particles must leave fast
enough before being cooled by energy losses)

Spectrum of accelerated cosmic-rays are never really
perfect power law

The shape depends strongly on the magnetic field
configuration

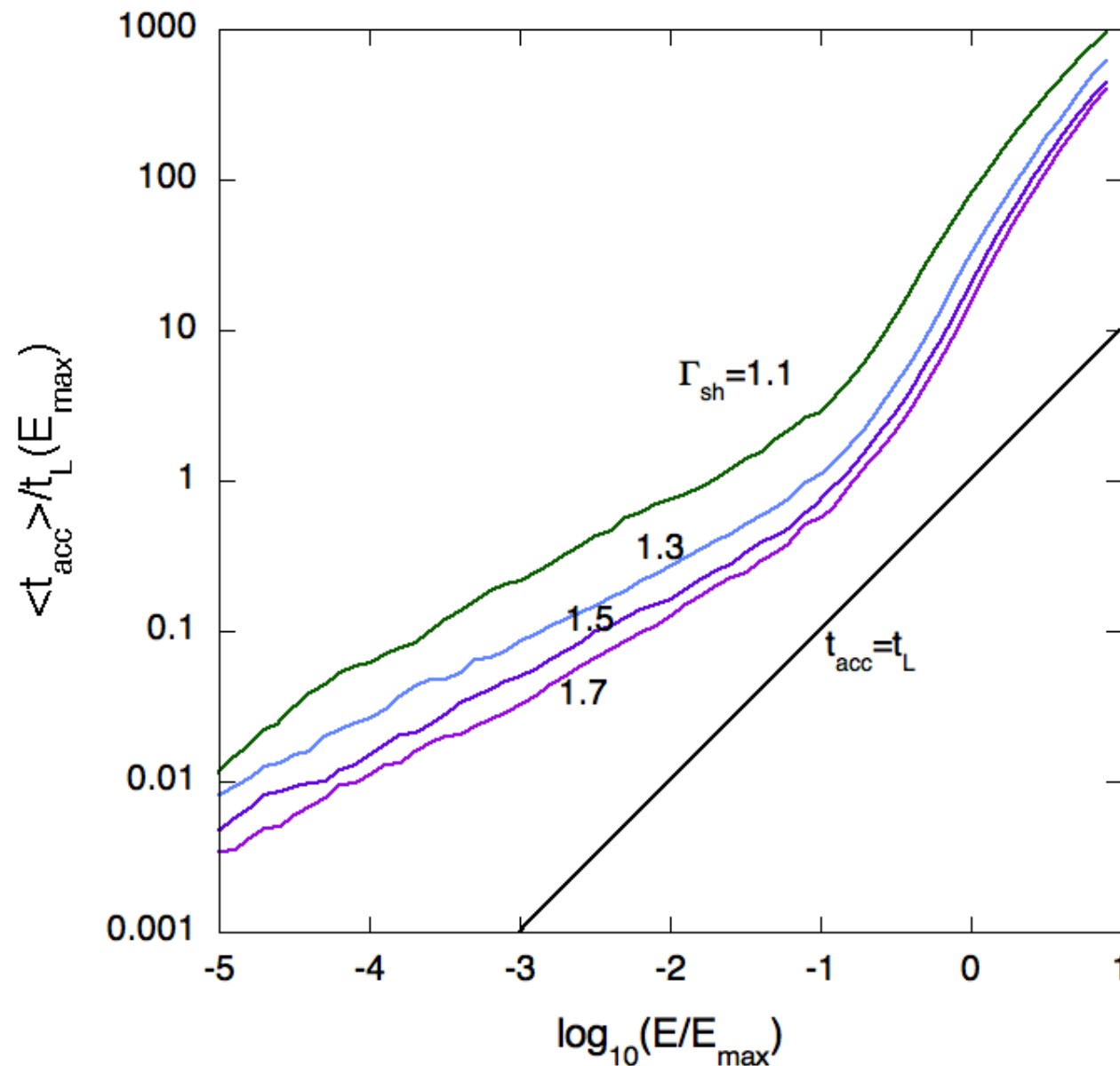
Parallel shocks can lead to very hard spectral indexes

Perpendicular shocks can lead to soft spectra with early
cut-offs

(results qualitatively identical to those obtained by Niemiec
& Ostrowsky)

cosmic rays acceleration time

$$E_{\max} \text{ definition : } r_L(E_{\max}) = \frac{E_{\max}}{eZB} \equiv \lambda_{\max}$$



The acceleration time increases faster in the weak scattering regime ($E \sim E_{\max}$)

$t_{\text{acc}} = t_L$ leads to much more optimistic expectations than our calculations
At $E = E_{\max} \rightarrow t_{\text{acc}}$ between ~ 20 and 80 times t_L

For a complete picture one needs to plug energy losses in

Energy losses

protons

- pair production
 $p + \gamma \rightarrow p + e^+ + e^- \sim 1 \text{ MeV}$
- synchrotron emission B
- adiabatic losses $\Gamma_{\text{res}}, r_{\text{shock}}$

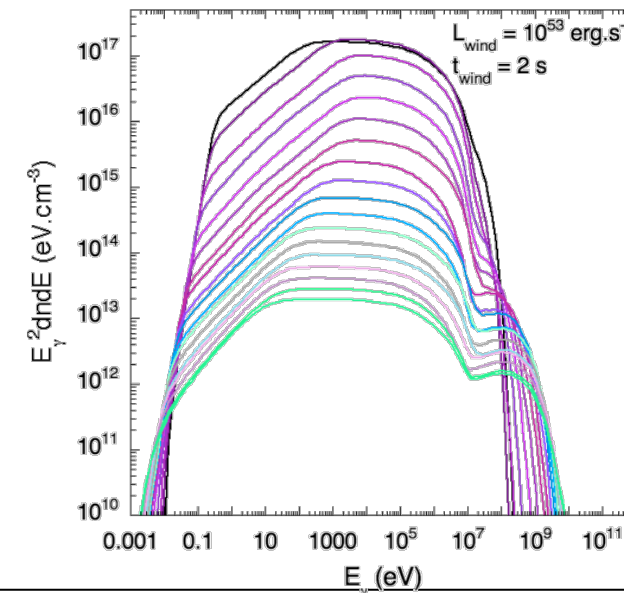
Γ_N

complex nuclei $^A N_Z$

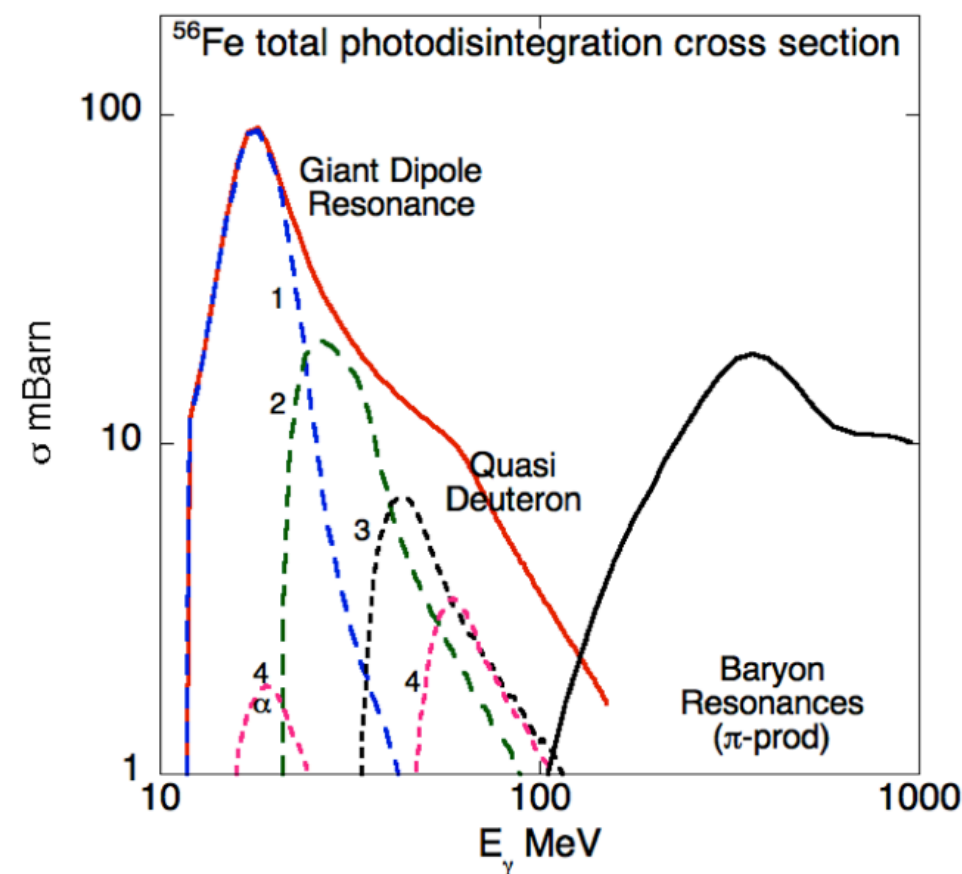
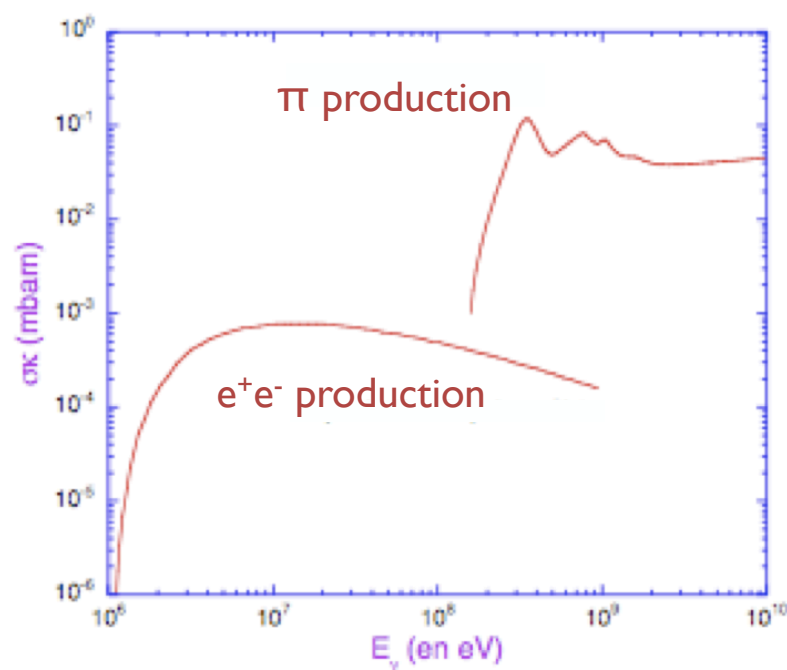
OR

A

- GDR(Khan 2005) $\sim 10 \text{ MeV}$
- QD
- BR (π -prod) } (Rachen 1996)
 $\sim 30 - 145 \text{ MeV}$



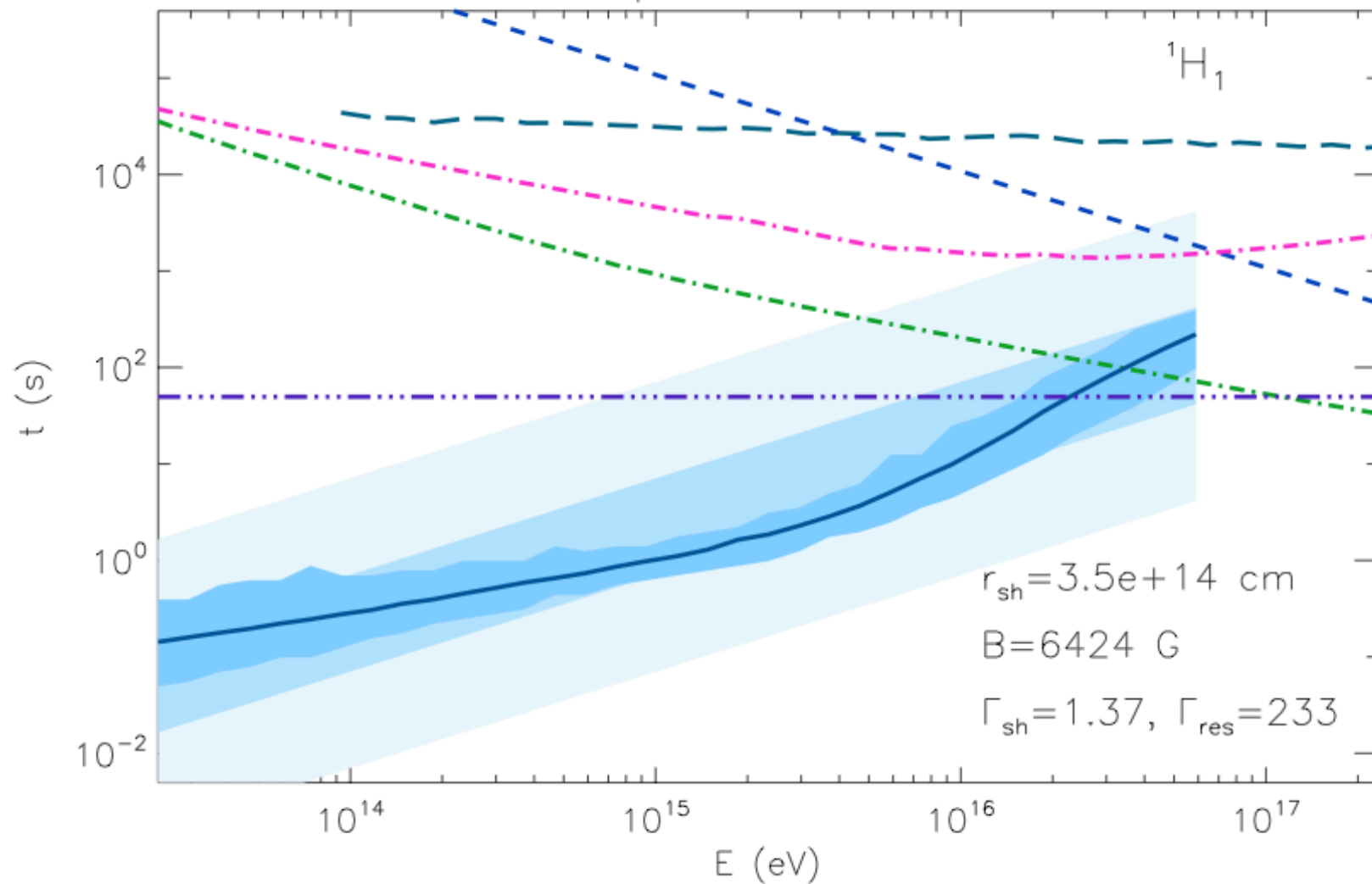
- pion production
 $p + \gamma \rightarrow p | n + \Pi^0 | \Pi^+ | \Pi^- \sim 150 \text{ MeV}$
- hadronic interactions
 $p + p \rightarrow p + n | p + \Pi^0 | \Pi^+ | \Pi^-$ density



Estimate of the maximum energy reachable for protons

$$t_{\text{wind}}=2\text{s} \quad L_{\text{wind}}=10^{53} \text{ erg.s}^{-1} \quad \lambda_{\text{max}}=\underline{\underline{r_{\text{shock}}/30\Gamma_{\text{res}}}}$$

Snapshot number 3



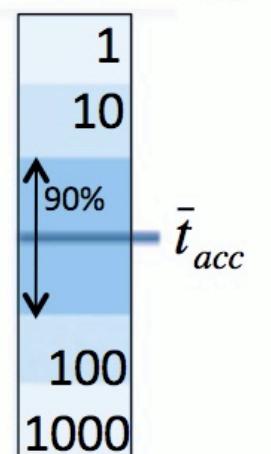
$$E_{\text{max,obs}} \approx 5.10^{18} \text{ eV}$$

losses

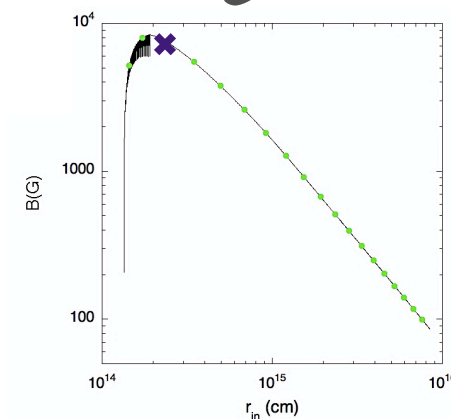
- t_{exp}
- t_{sync}
- t_{pair}
- $t_{\text{photodis/pion}}$
- t_{hadronic}

acceleration

$$t_{\text{acc}} = \kappa_0 t_L$$

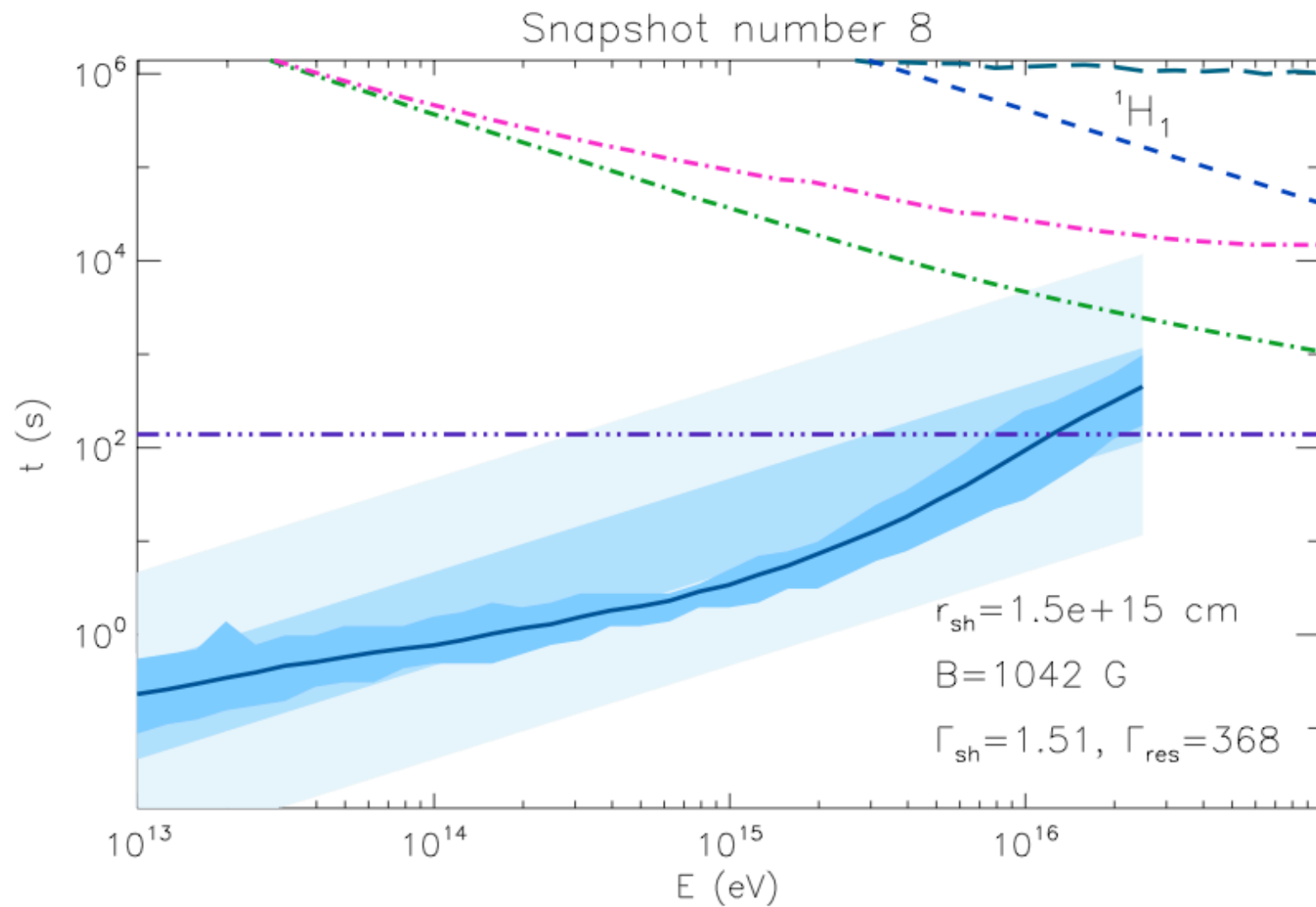


#3



Estimate of the maximum energy reachable for protons

$$t_{\text{wind}}=2\text{s} \quad L_{\text{wind}}=10^{53} \text{ erg.s}^{-1} \quad \lambda_{\text{max}}=r_{\text{shock}}/30\Gamma_{\text{res}}$$



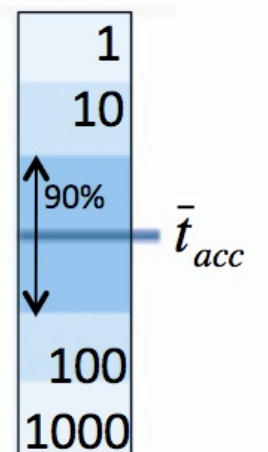
$$E_{\text{max,obs}} \approx 4 \cdot 10^{18} \text{ eV}$$

losses

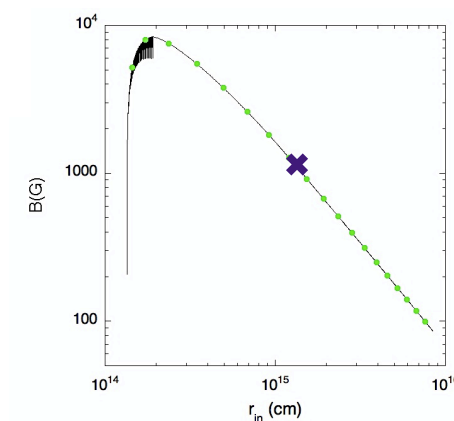
- t_{exp}
- t_{sync}
- t_{pair}
- $t_{\text{photodis/pion}}$
- t_{hadronic}

acceleration

$$t_{\text{acc}} = \kappa_0 t_L$$



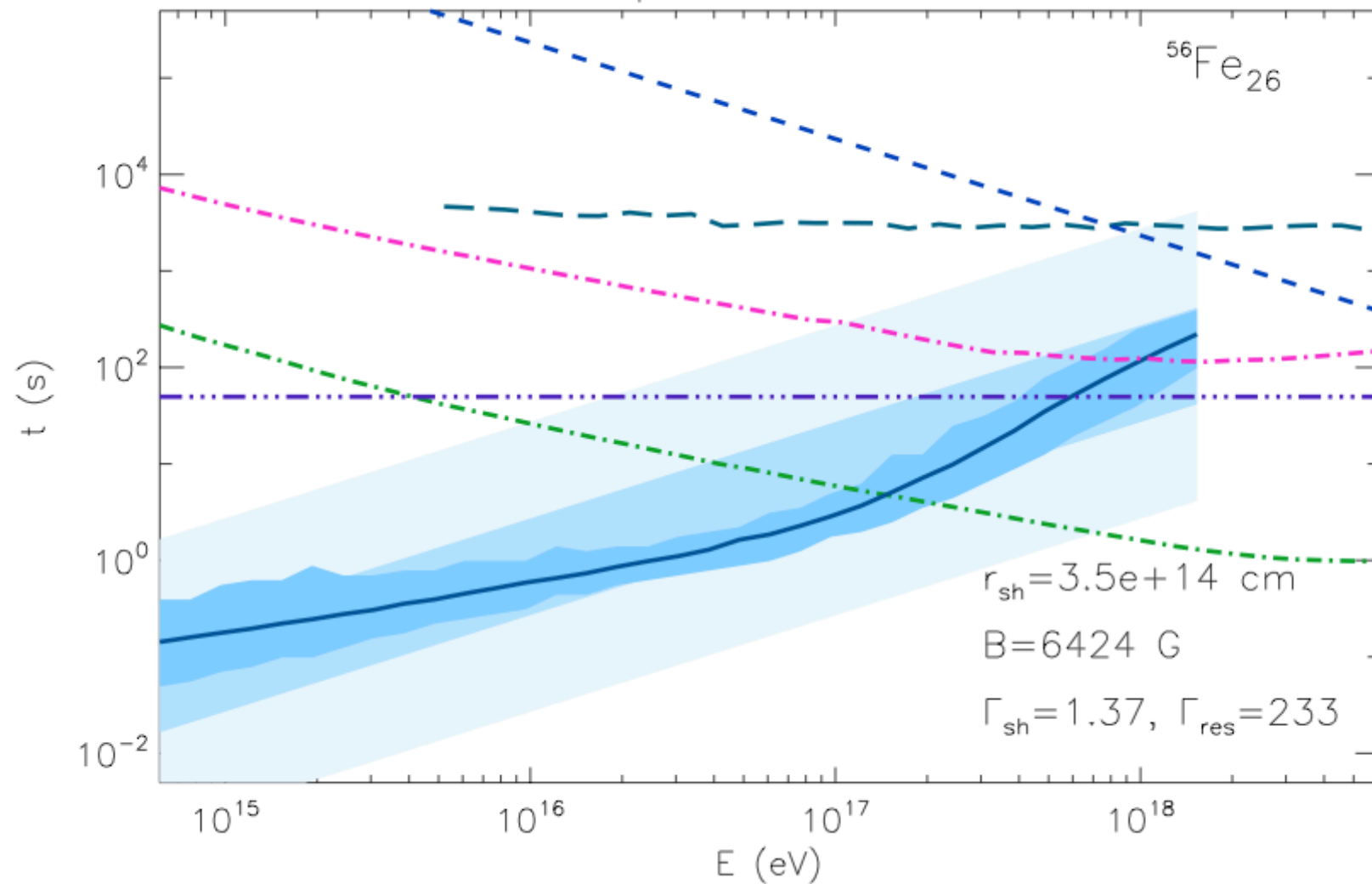
#8



Estimate of the maximum energy reachable for iron

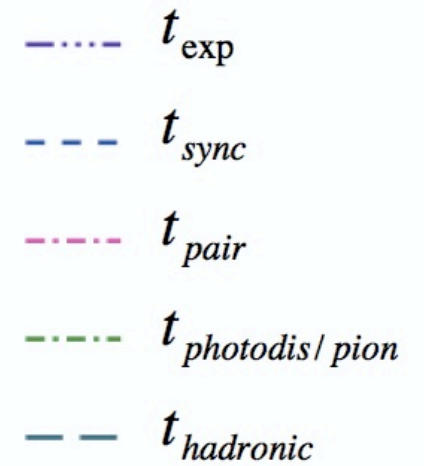
$$t_{\text{wind}}=2\text{s} \quad L_{\text{wind}}=10^{53} \text{ erg.s}^{-1} \quad \lambda_{\text{max}}=\underline{\underline{r_{\text{shock}}/30\Gamma_{\text{res}}}}$$

Snapshot number 3



$$E_{\text{max,obs}} \approx 4.10^{19} \text{ eV}$$

losses

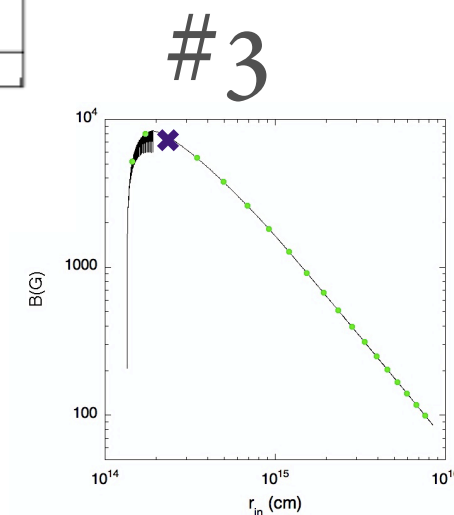


acceleration

$$t_{\text{acc}} = \kappa_0 t_L$$

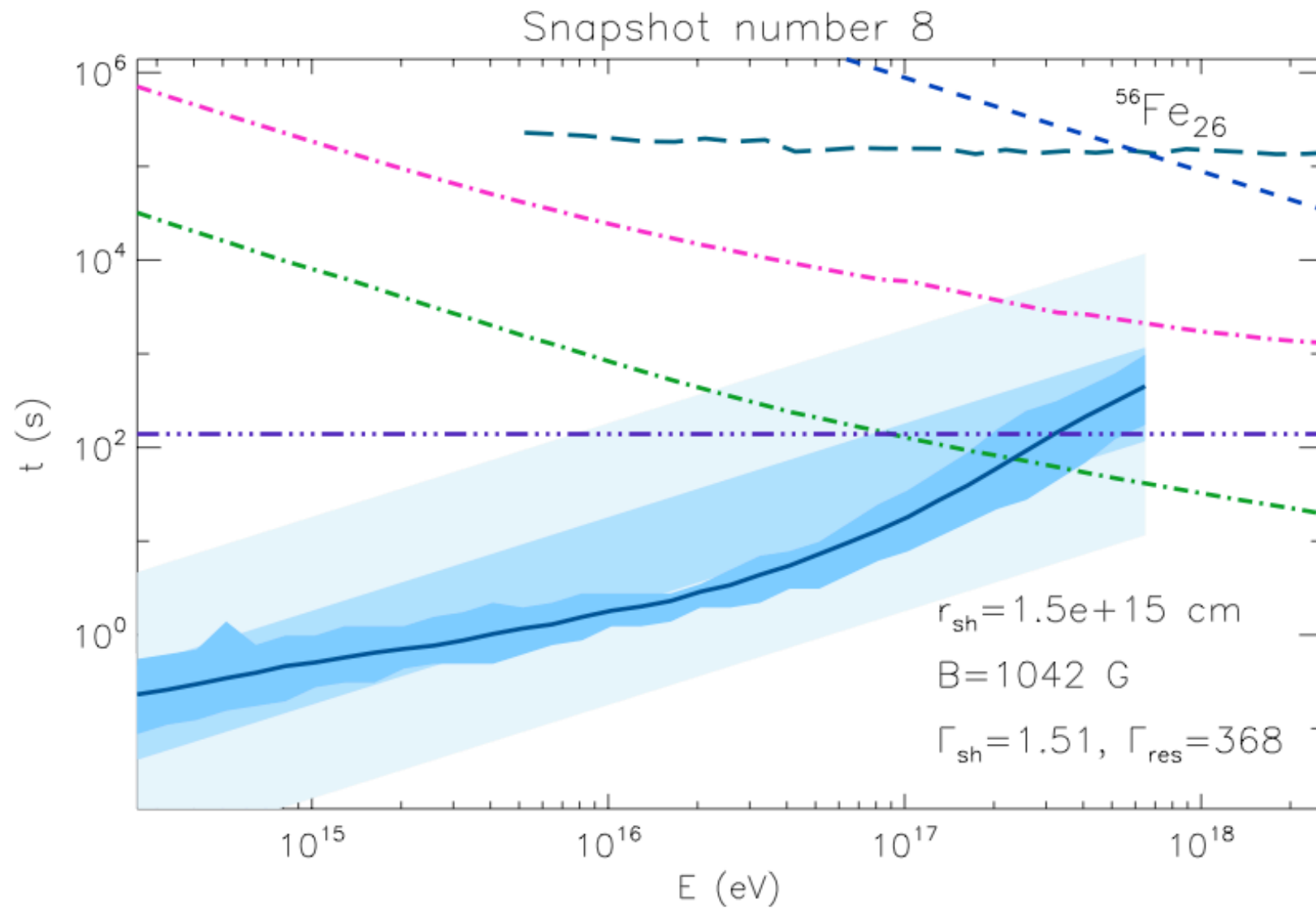
1
10
90%
100
1000

\bar{t}_{acc}



Estimate of the maximum energy reachable for iron

$$t_{\text{wind}}=2\text{s} \quad L_{\text{wind}}=10^{53} \text{ erg.s}^{-1} \quad \lambda_{\text{max}}=\underline{\underline{r_{\text{shock}}/30\Gamma_{\text{res}}}}$$



$$E_{\text{max,obs}} \approx 10^{20} \text{ eV}$$

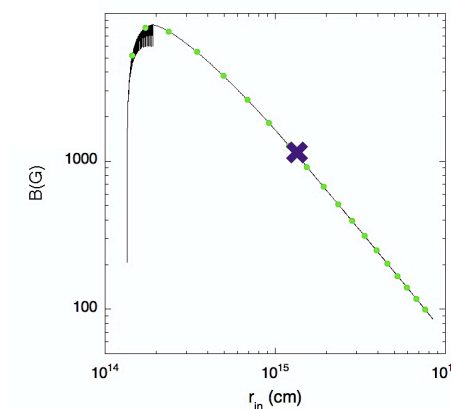
losses

- t_{exp}
- t_{sync}
- t_{pair}
- $t_{\text{photodis/pion}}$
- t_{hadronic}

acceleration

$$t_{\text{acc}} = \kappa_0 t_L$$

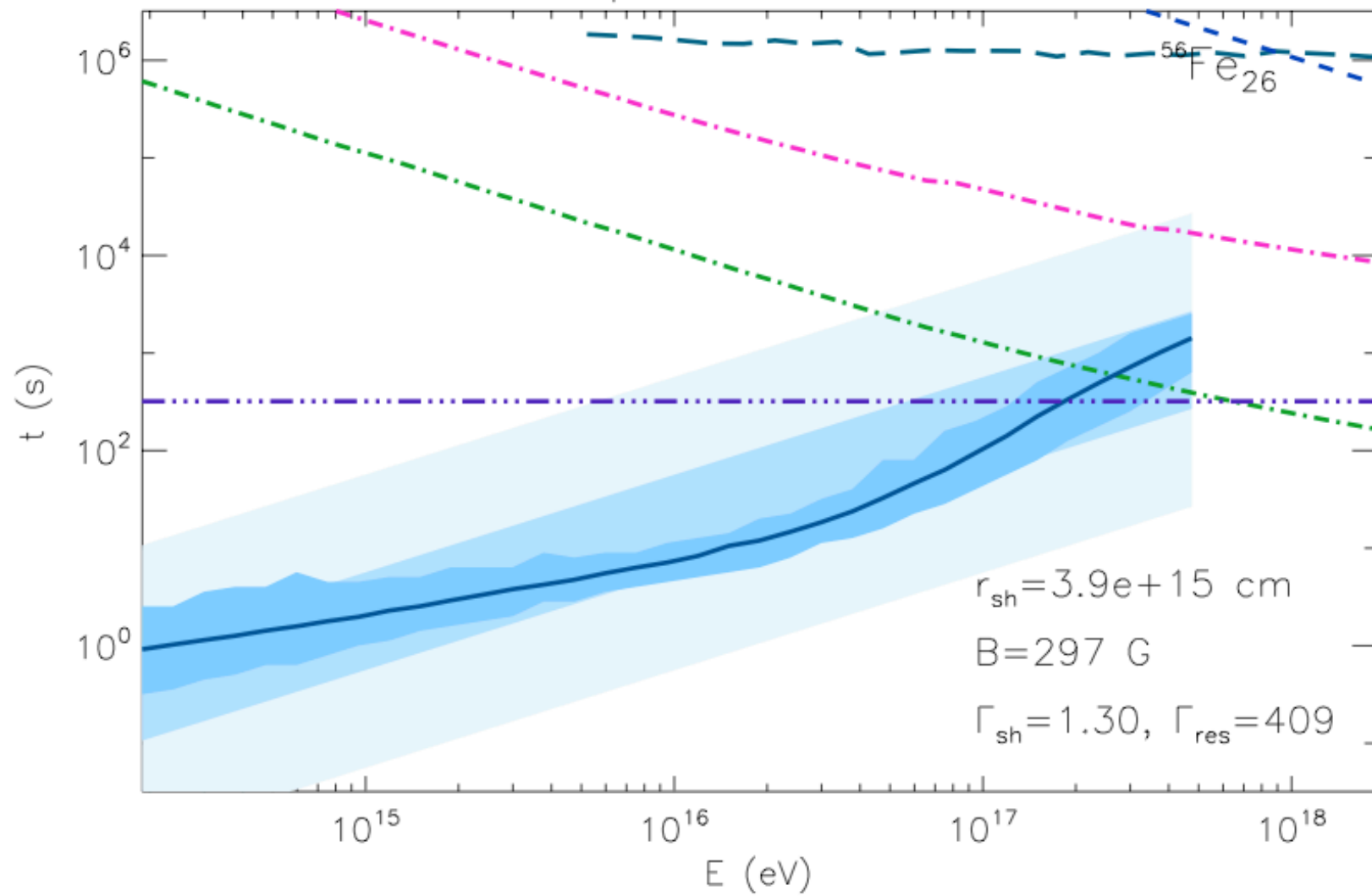
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Estimate of the maximum energy reachable for iron

$$t_{\text{wind}}=2\text{s} \quad L_{\text{wind}}=10^{53} \text{ erg.s}^{-1} \quad \lambda_{\text{max}}=\frac{r_{\text{shock}}}{30\Gamma_{\text{res}}}$$

Snapshot number 13



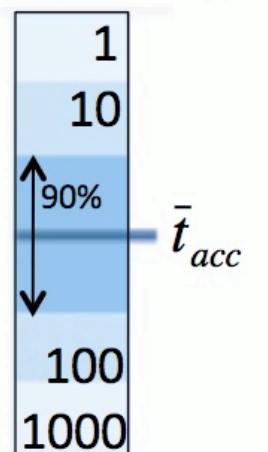
$$E_{\text{max,obs}} \approx 8 \cdot 10^{19} \text{ eV}$$

losses

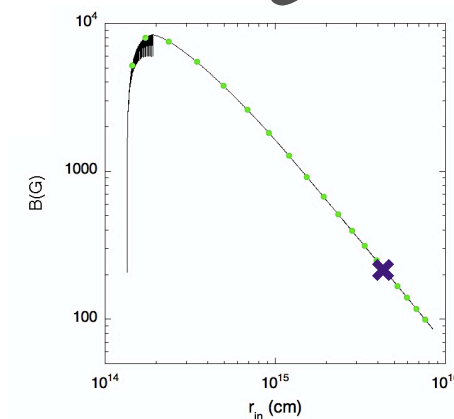
- t_{exp}
- t_{sync}
- t_{pair}
- $t_{\text{photodis/pion}}$
- t_{hadronic}

acceleration

$$t_{\text{acc}} = \kappa_0 t_L$$



#13



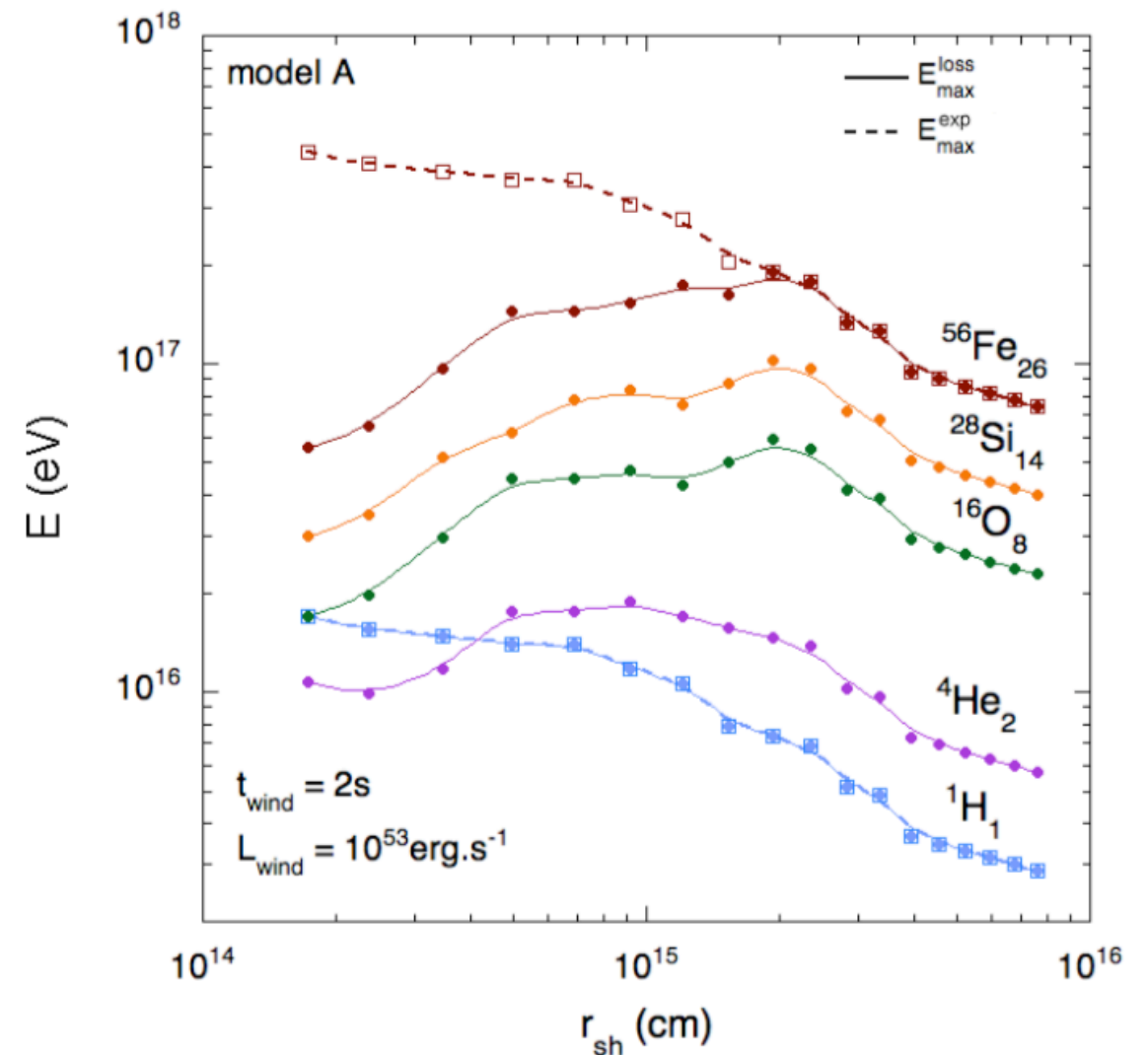
Estimate of the maximum energy reachable

example of an intermediate luminosity burst :

- Proton maximum energy limited by adiabatic losses during the whole shock propagation

- Nuclei maximum energy limited by photodisintegration during the early stage of the shock propagation and by adiabatic losses at later times

=> Scaling of the maximum energy with Z not necessarily trivial for intermediate and high luminosity bursts



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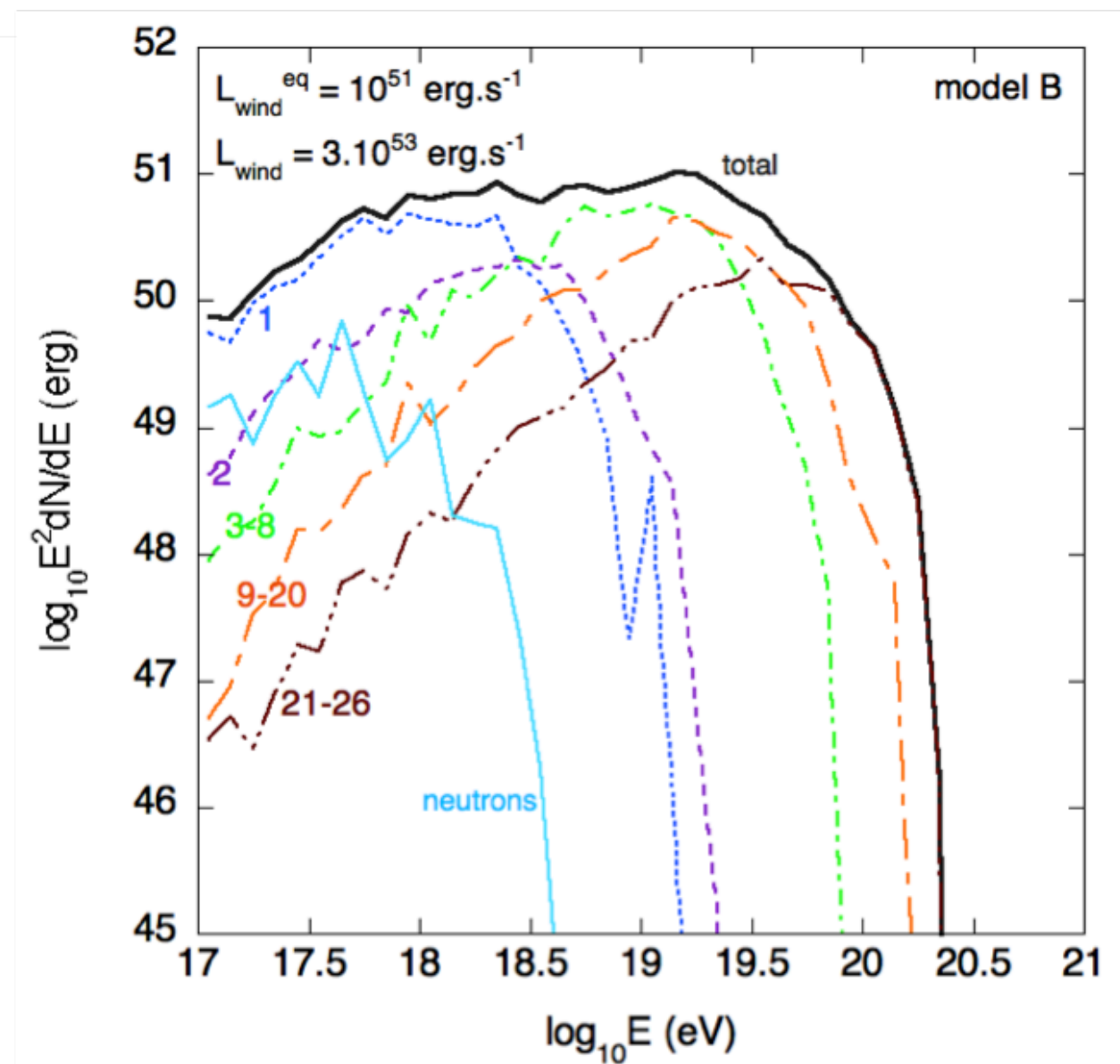
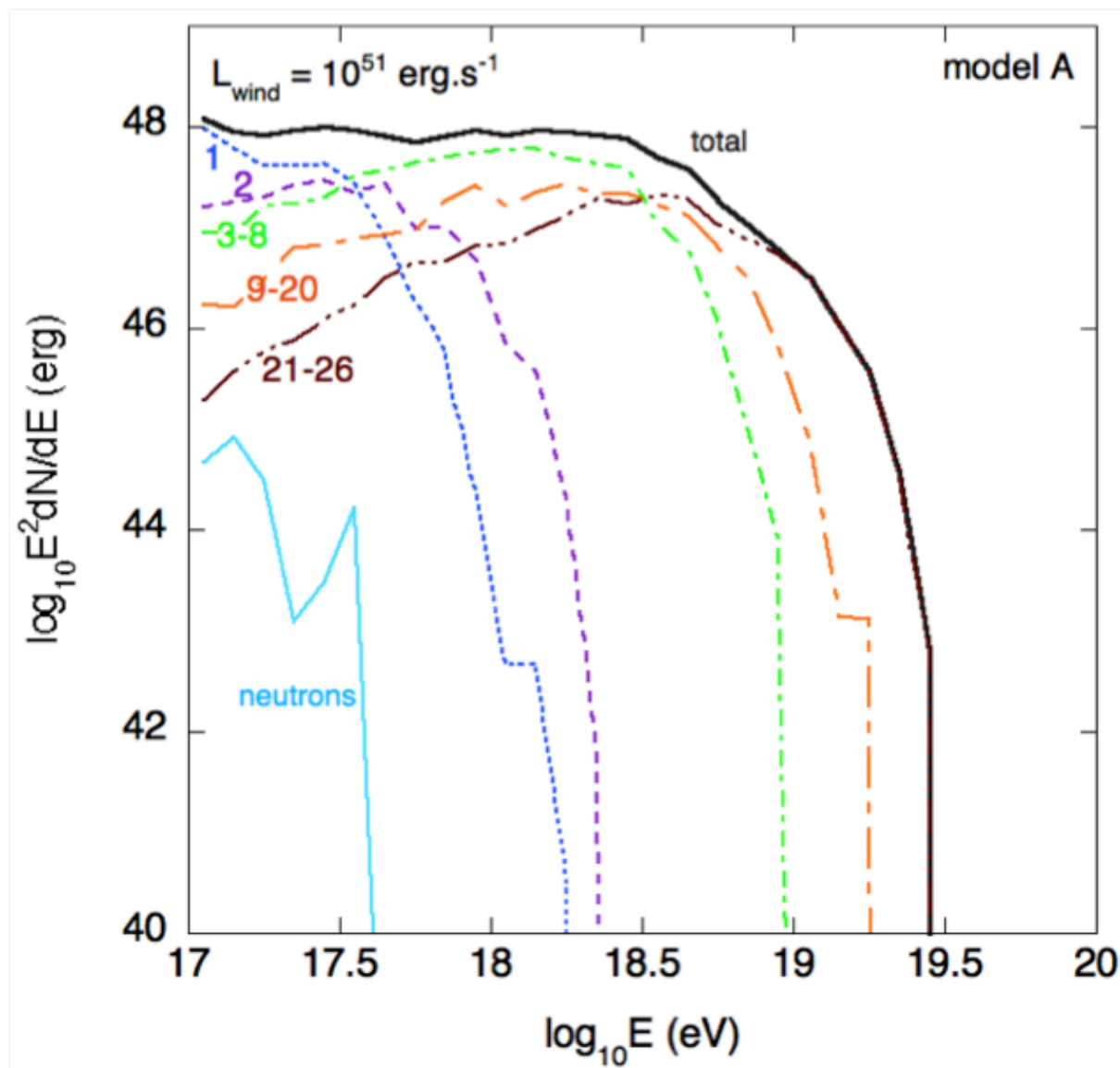
UHECR spectra (escaping from the wind)

We calculate spectra of escaping cosmic-rays for wind luminosities between 10^{51} and 10^{55} erg.s⁻¹

⇒ **GRB output for :**

$L_{\text{wind}}^{\text{eq}} = 10^{51}$ erg.s⁻¹ $t_{\text{wind}} = 2\text{s}$

metallicity : 10 X galactic CRs



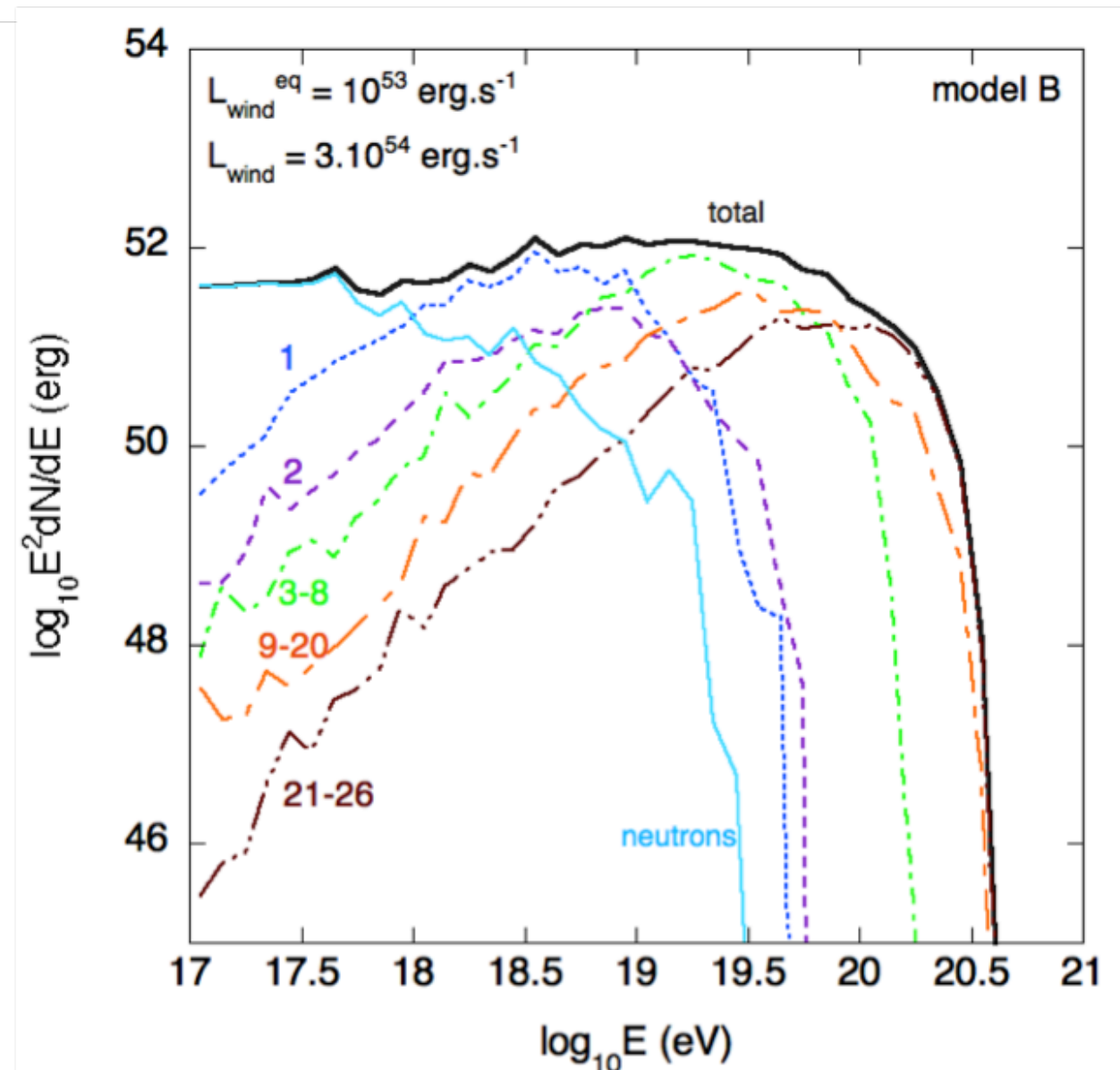
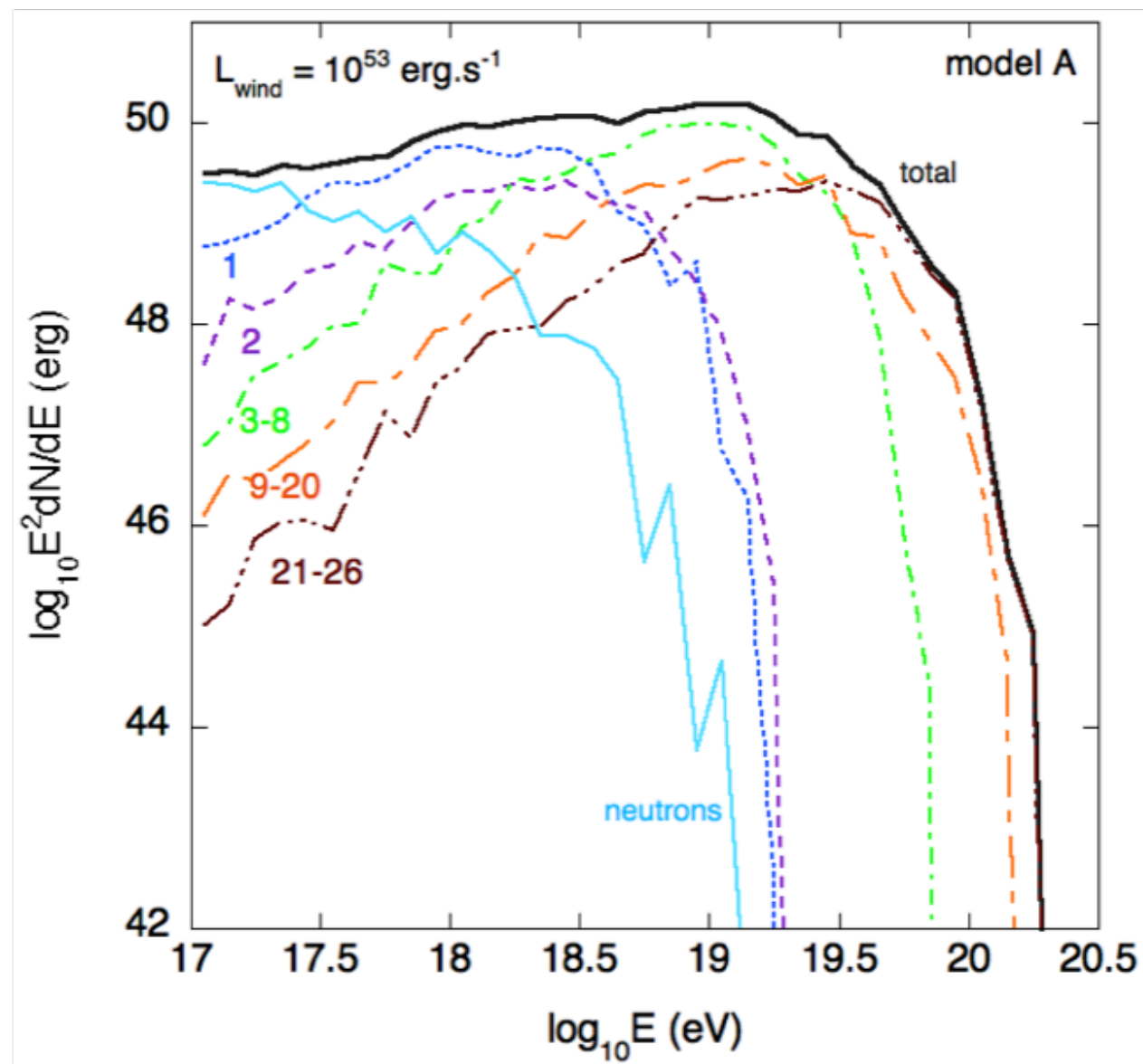
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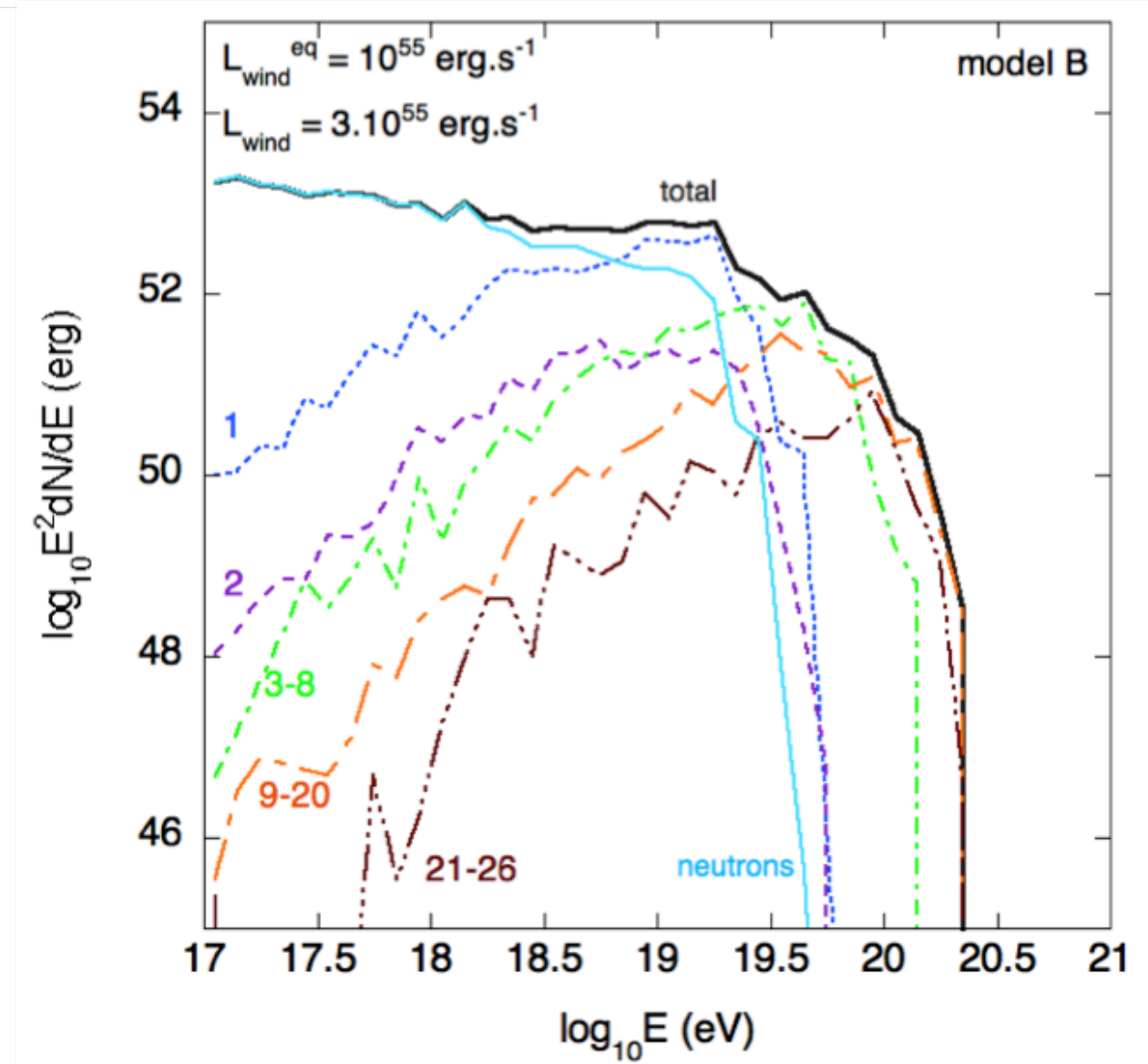
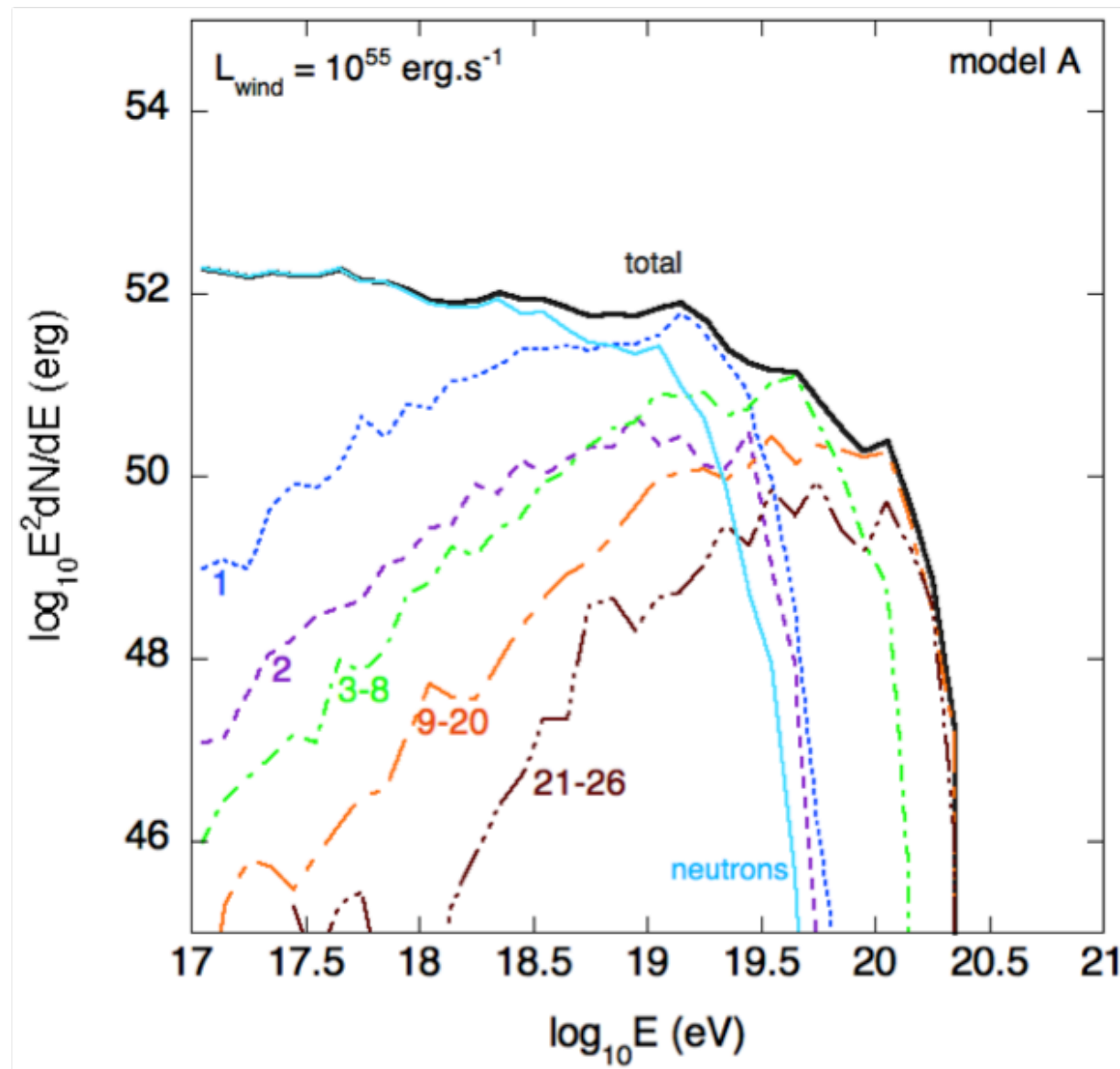
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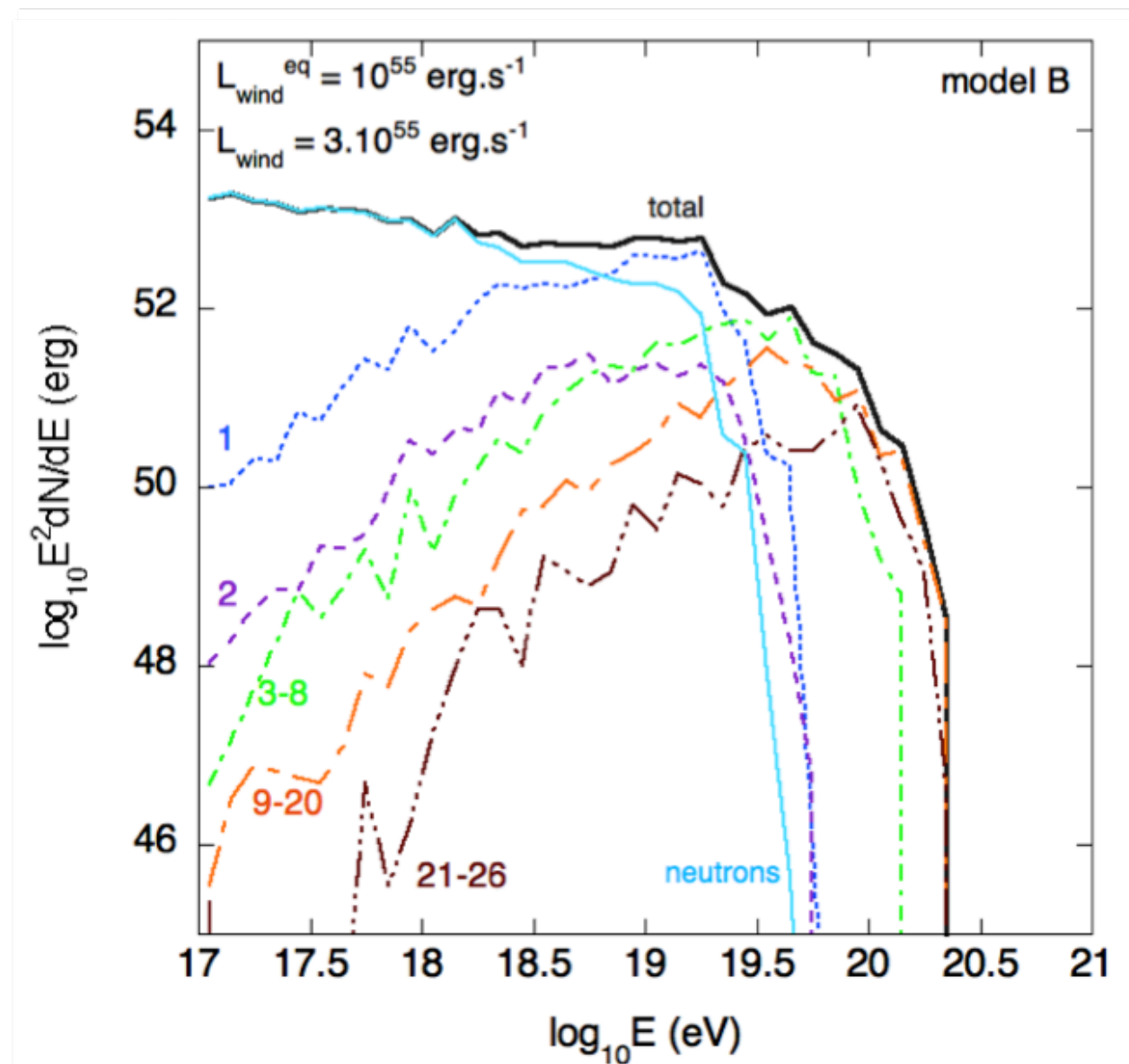
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High luminosities : Nuclei components
get narrower, more neutrons emitted
→ photointeractions of nuclei



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Convolution by a GRB luminosity function

GRB rate and luminosity function, and the corresponding cosmological evolution from Wanderman and Piran 2010

$$\rho_0 = 1.3 \text{ Gpc}^{-3} \cdot \text{yr}^{-1} \quad \alpha_1 = 1.2 \quad \alpha_2 = 2.4$$

$$E_{\gamma}^{\text{tot}} = 1.1 \cdot 10^{44} \text{ erg} \cdot \text{Mpc}^{-3} \cdot \text{yr}^{-1}$$

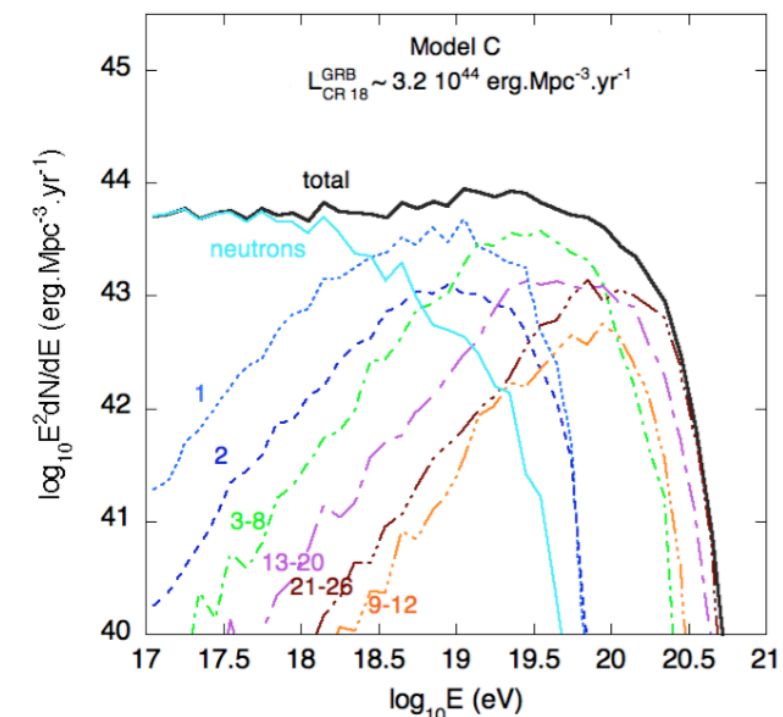
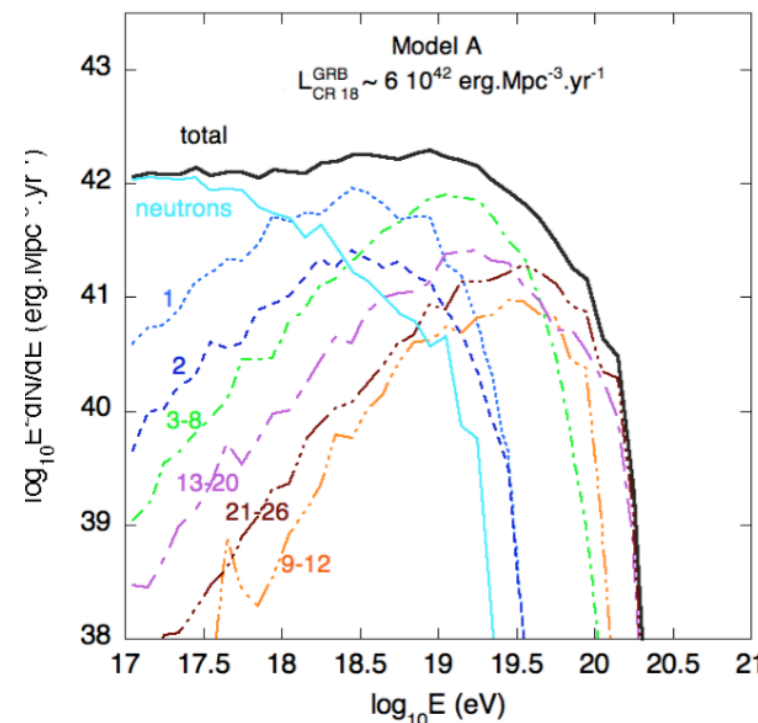
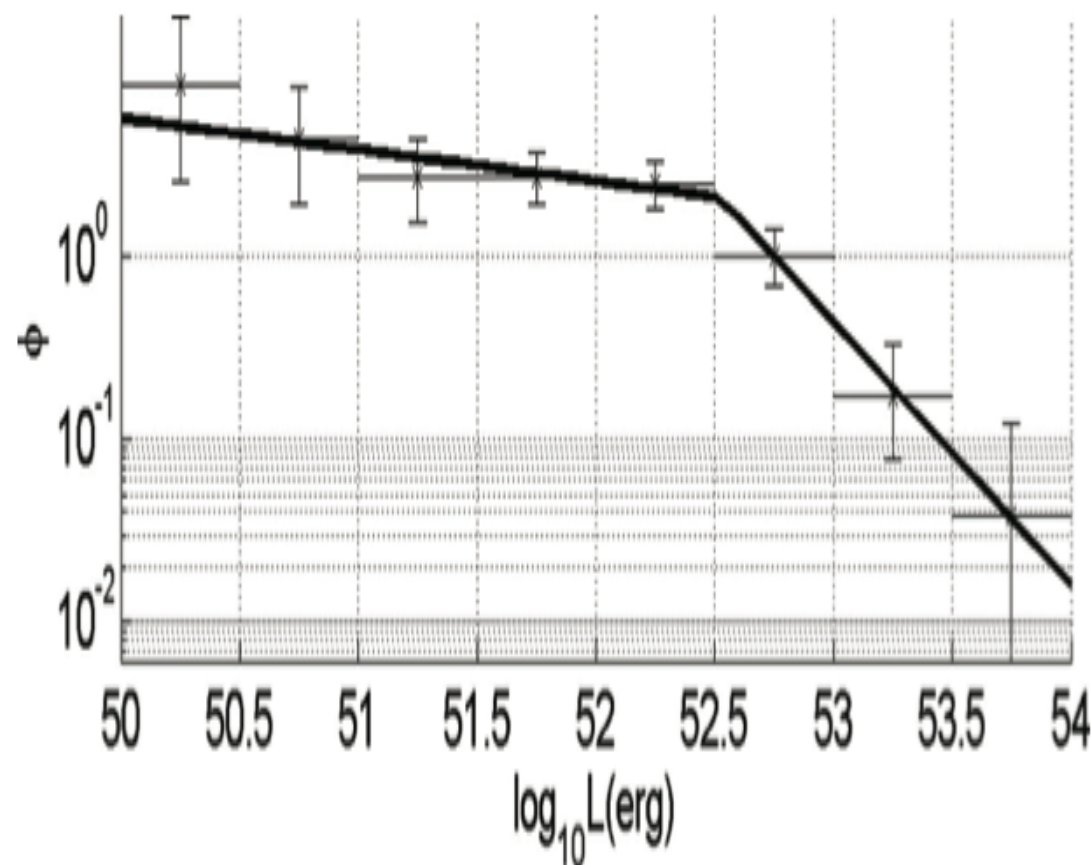
Assuming the central source activity lasts 20 s

UHECR emissivity above 10^{18} eV :

Model A : $\sim 6 \cdot 10^{42} \text{ erg} \cdot \text{Mpc}^{-3} \cdot \text{yr}^{-1}$

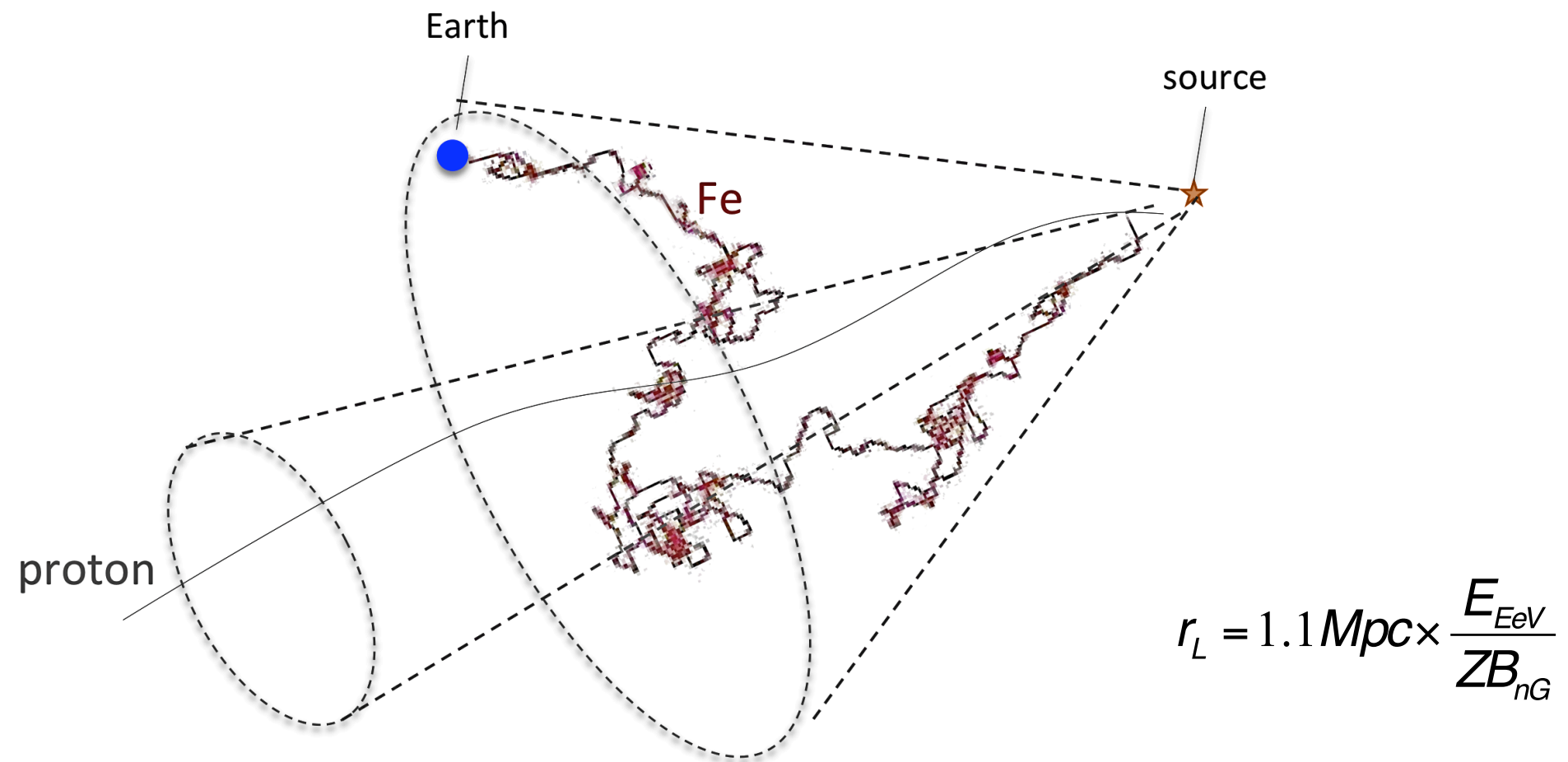
Model B and C : $\sim 3\text{-}4 \cdot 10^{44} \text{ erg} \cdot \text{Mpc}^{-3} \cdot \text{yr}^{-1}$

**One would need a few $10^{44} \text{ erg} \cdot \text{Mpc}^{-3} \cdot \text{yr}^{-1}$
Above 10^{18} eV to reproduce the UHECR data**



Propagated spectrum

Propagation in extragalactic turbulent magnetic field, including energy losses on extragalactic photon backgrounds (see Globus, Allard & Parizot 2008 for details)



Propagated spectrum

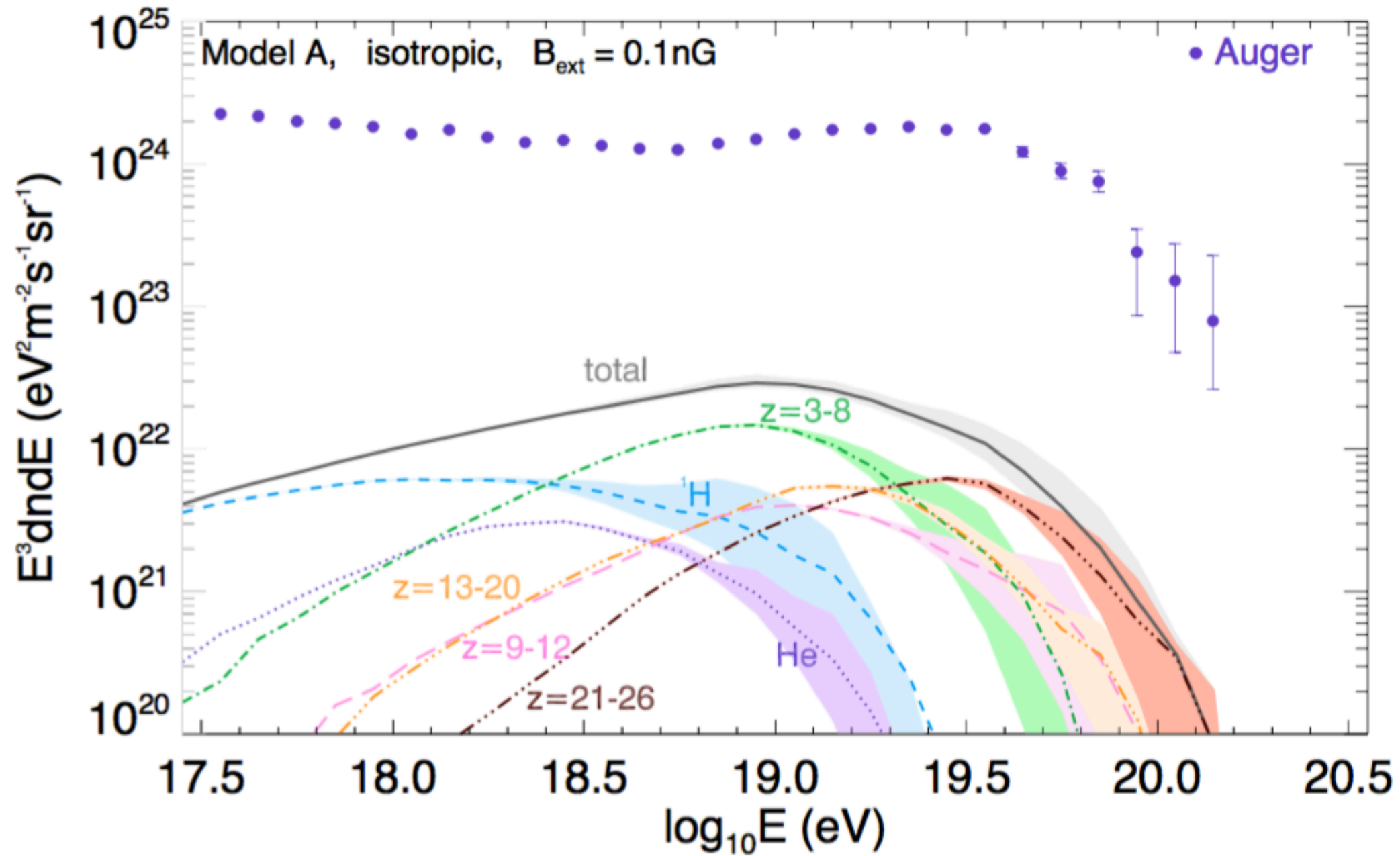
Assumptions

$$\epsilon_e = 0.33$$

$$\epsilon_B = 0.33$$

$$\epsilon_{CR} = 0.33$$

model A



300 realisations of the history of GRB explosions in the Universe

Propagated spectrum

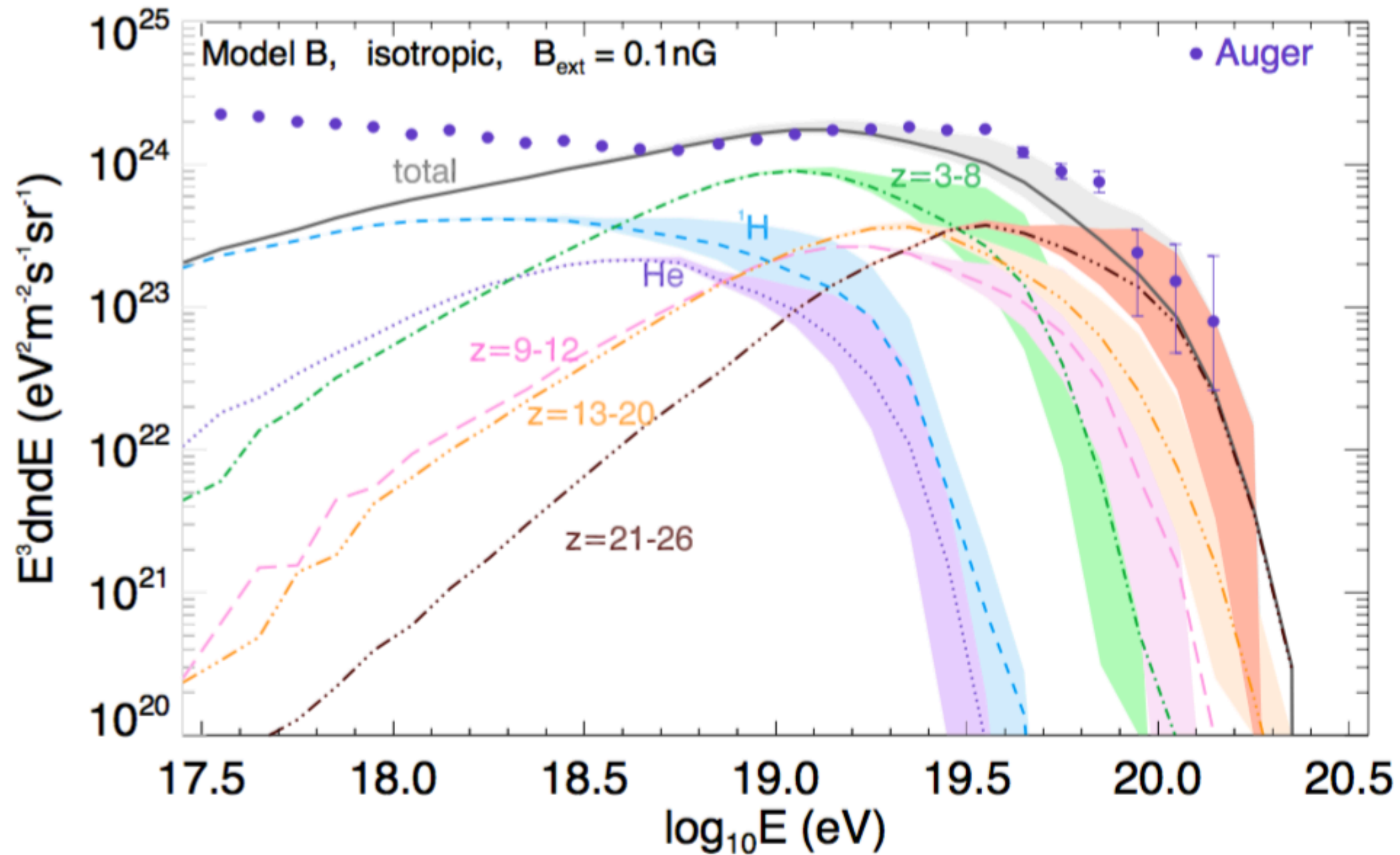
Assumptions

$$\epsilon_e \ll 1$$

$$\epsilon_B \sim 0.1$$

$$\epsilon_{CR} \sim 0.9$$

model B



300 realisations of the history of GRB explosions in the Universe

Propagated spectrum

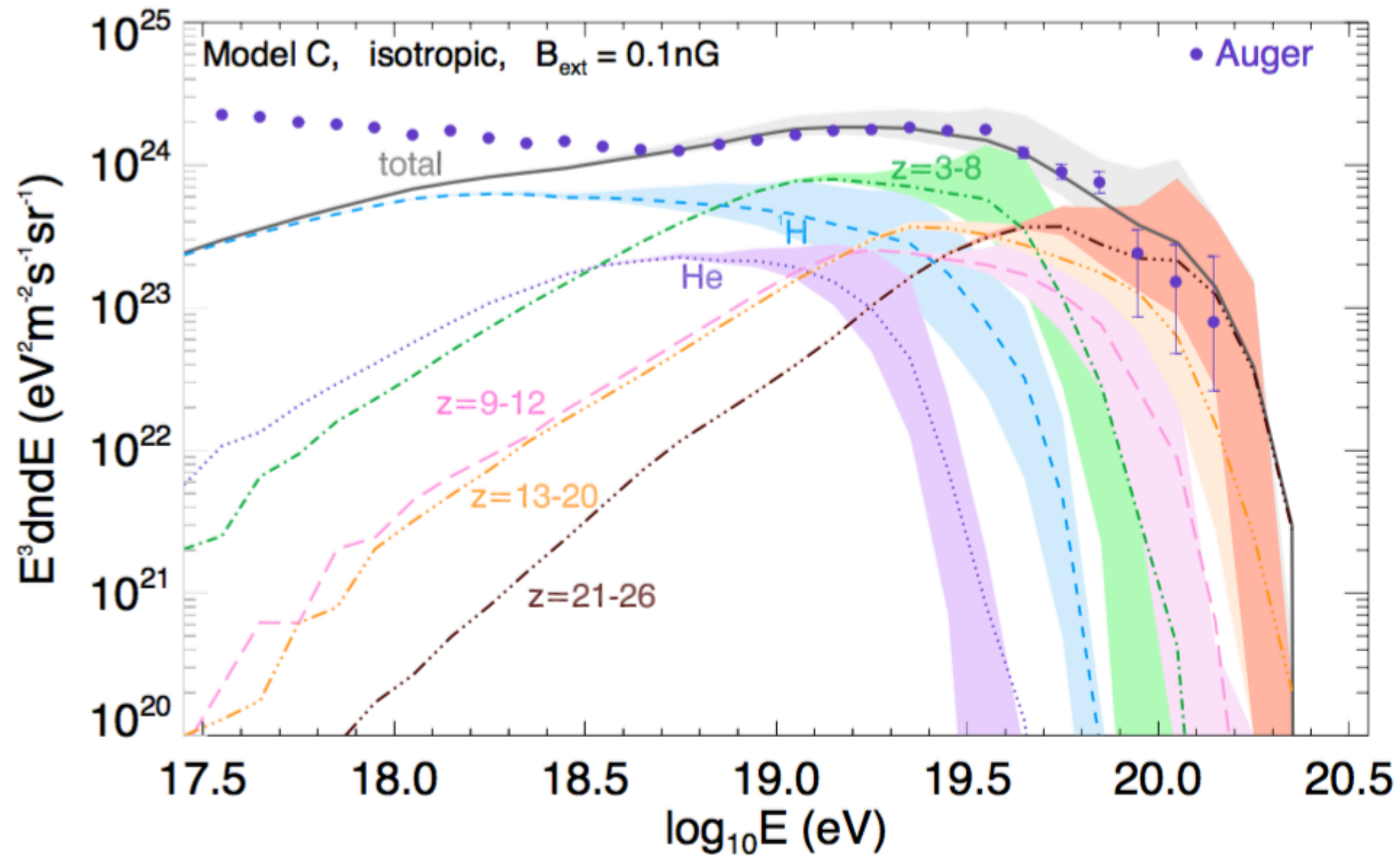
Assumptions

$$\epsilon_e \ll 1$$

$$\epsilon_B \sim 0.33$$

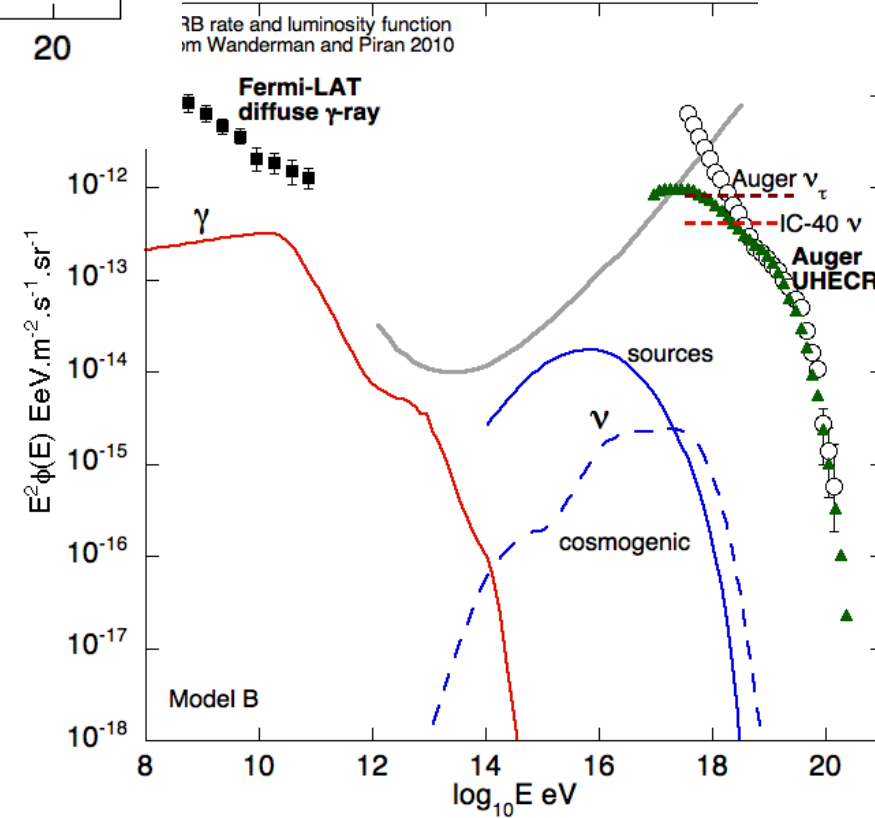
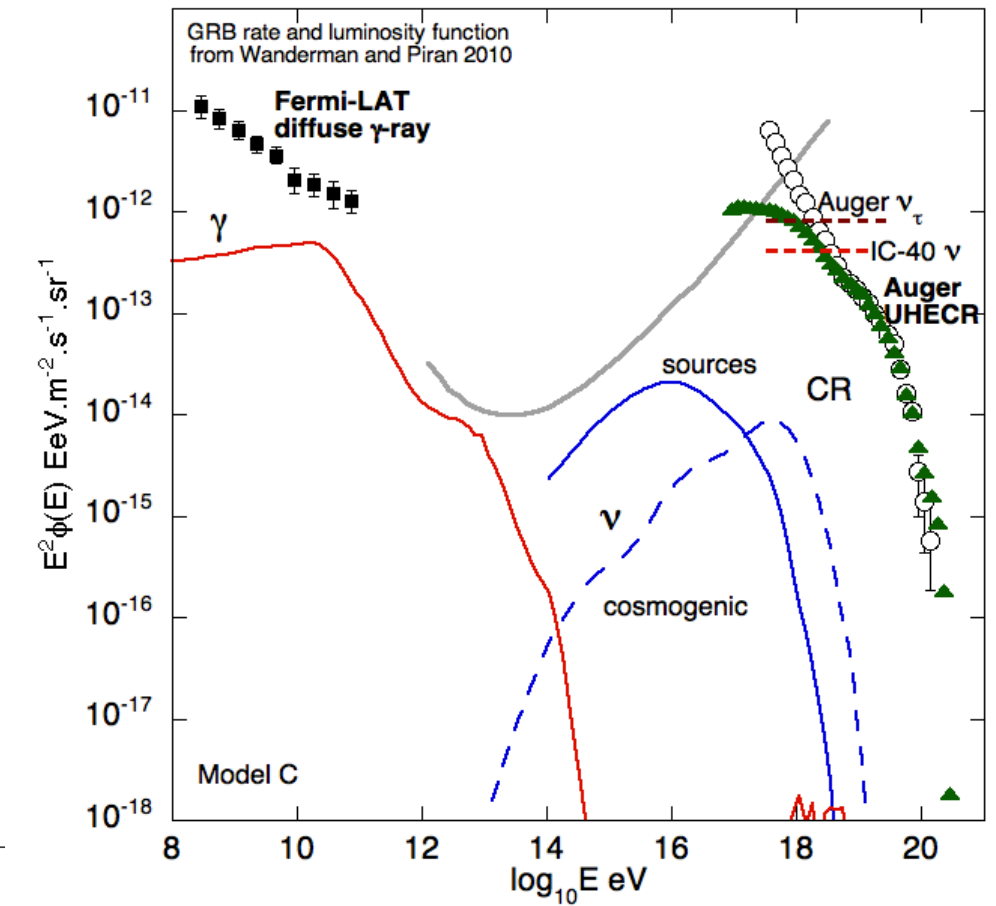
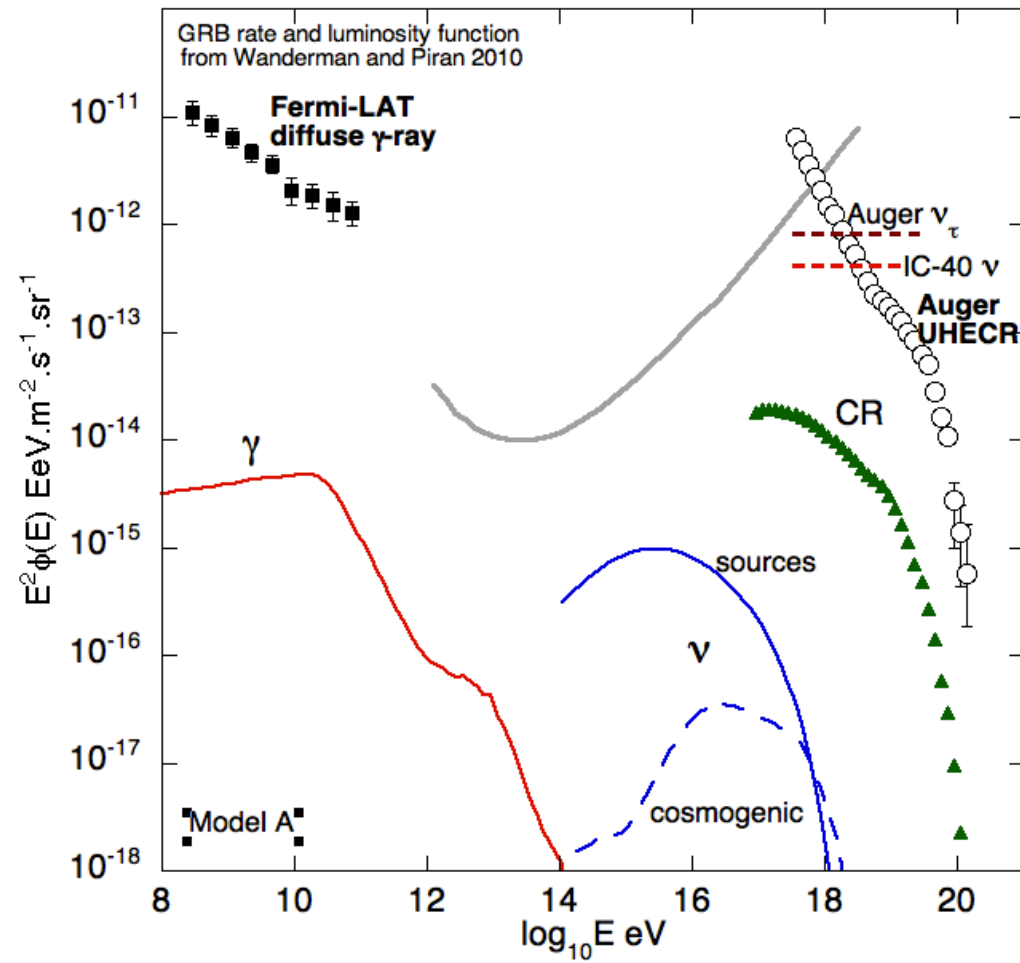
$$\epsilon_{CR} \sim 0.66$$

model C



300 realisations of the history of GRB explosions in the Universe

Secondary neutrinos and photons

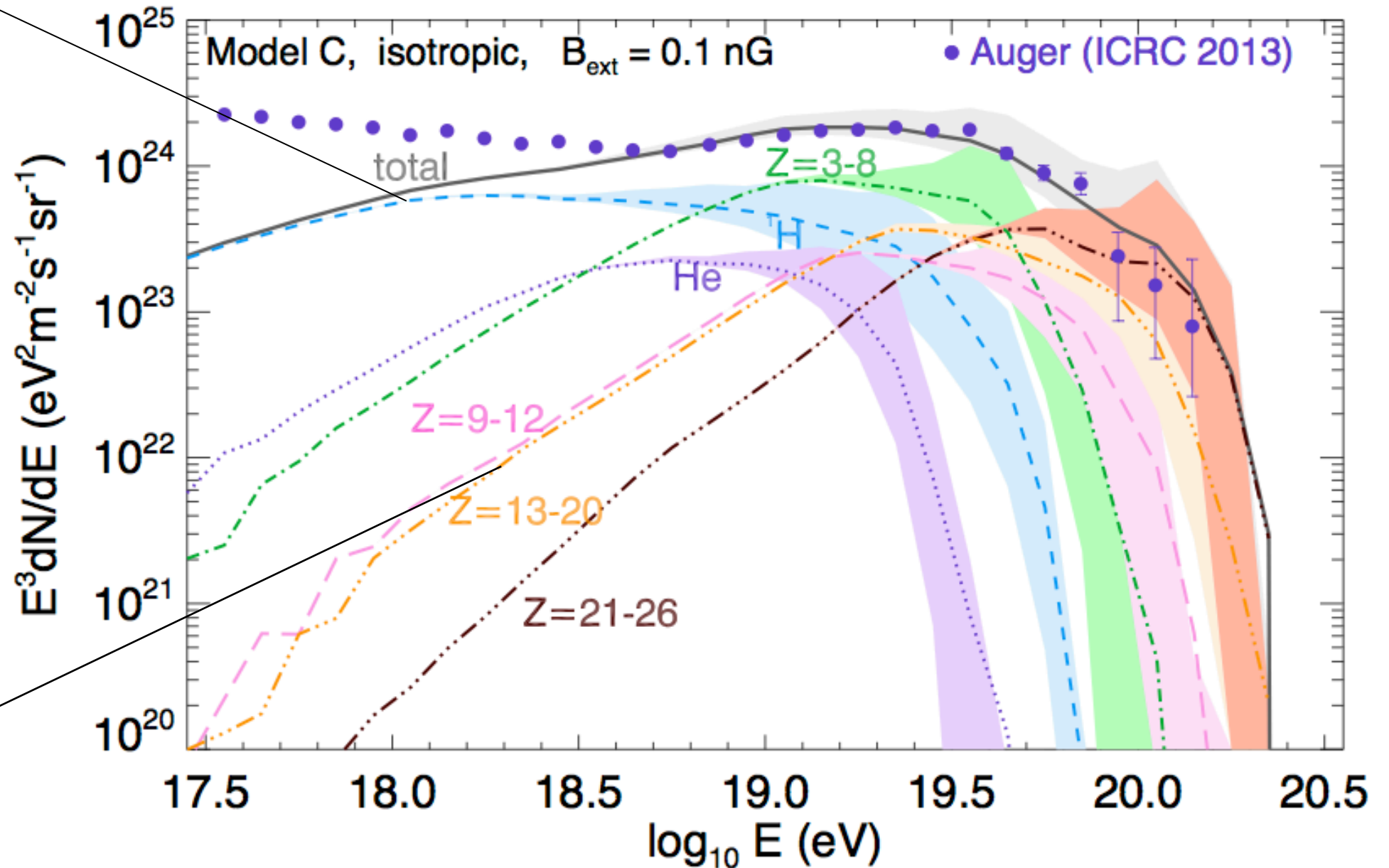


conclusions

- gamma-ray bursts internal shocks are able to accelerate nuclei up to 10^{20} eV in most cases
 - Protons acceleration only approach 10^{20} eV for the most extreme luminosities
- UHECR acceleration at GRBs internal could fit nicely Auger composition trend providing nuclei are significantly present at internal shocks
 - internal shocks as the sources of UHECR are excluded if one assumes equipartition
→ energy dissipated at the shocks mostly goes to cosmic rays → larger wind luminosities required → realistic? Compatible with other GRB observation? With theory?
- Not challenged by Ice-Cube current non observation of VHE neutrinos from GRBs
- Potentially interesting feature : proton spectrum expected to be much softer than that of nuclei ==> probably not a specific prediction of GRBs

Propagated spectrum

Proton spectrum :
Soft due to the
efficient escape of
neutrons from the
source (secondary
neutron from the
photodisintegration
of nuclei within the
source)

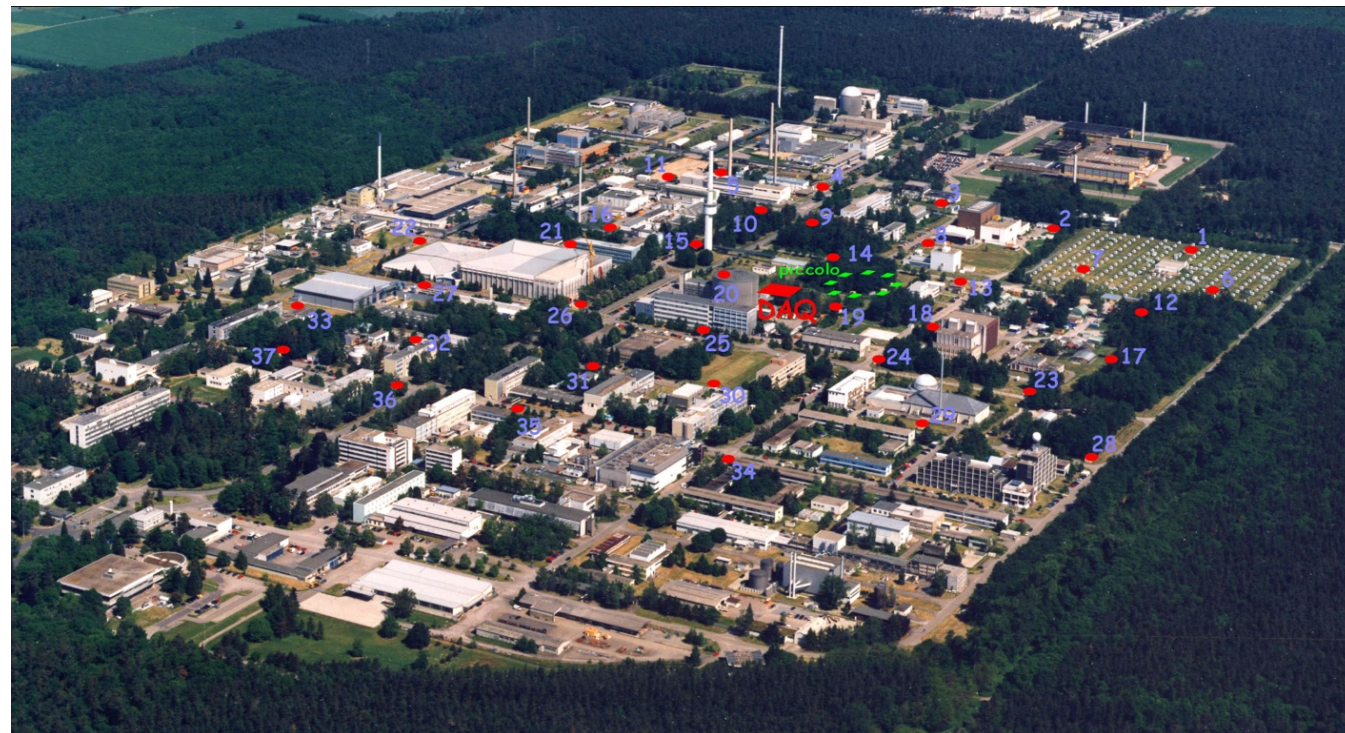


Heavier nuclei spectrum :
Much harder due to the
high-pass filter effect of the
escape process

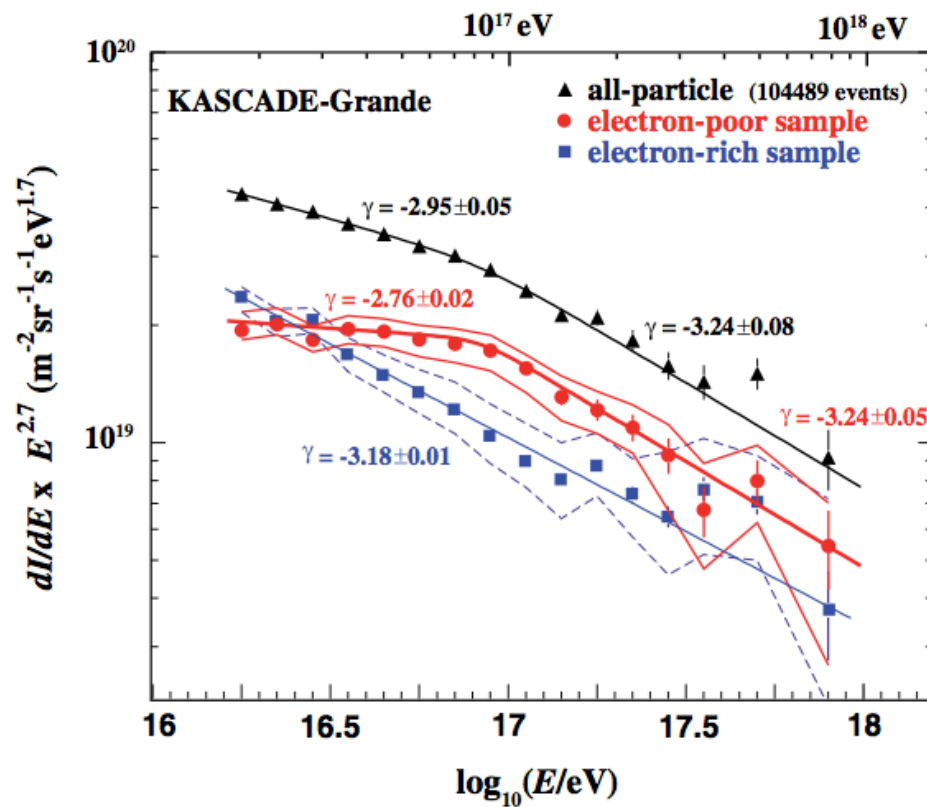
N. Globus, D. Allard, R. Mochkovitch, E. Parizot, MNRAS, 2015

Recent Kascade-Grande analyses

- The Kascade-Grande collaboration recently released composition analyses claimed to be robust (i.e. the main conclusions do not depend strongly of hadronic models)
- Based on the separation between electron rich (light CRs) and electron poor (heavy CRs) showers at a given energy



Evidence for a “heavy knee”



KG collab, Phys. Rev. Lett., 2011

Table 3

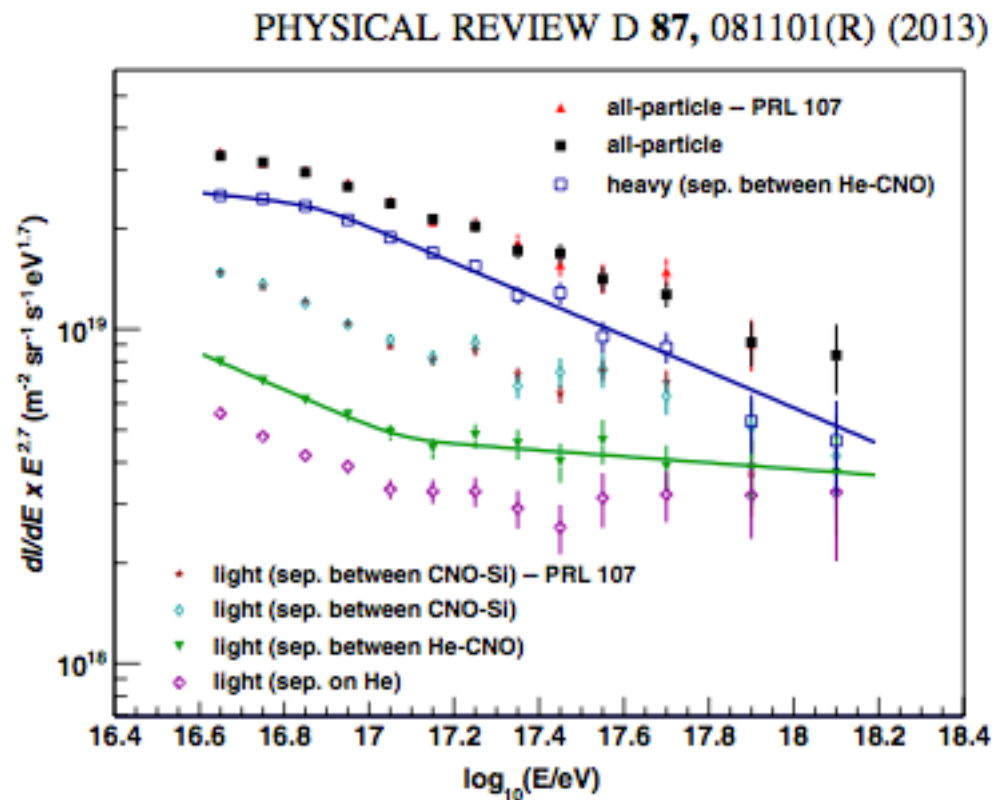
Slope of the different spectra and break positions obtained with the three different hadronic interaction models, by applying the k parameter analysis in order to separate the spectra into different mass groups. QGSjet results are from Apel et al. (2011).

Model	EPOS	QGSjet	SIBYLL
<i>All-particle</i>			
γ_1	-3.00 ± 0.03	-2.95 ± 0.05	-2.98 ± 0.05
γ_2	-3.19 ± 0.04	-3.24 ± 0.08	-3.17 ± 0.05
$\log_{10}(E/eV)$	16.82 ± 0.09	16.92 ± 0.10	16.90 ± 0.12
significance (σ)	2.8	2.1	2.7
<i>Heavy component</i>			
γ_1	-2.98 ± 0.05	-2.76 ± 0.02	-2.79 ± 0.03
γ_2	-3.54 ± 0.10	-3.24 ± 0.05	-3.28 ± 0.07
$\log_{10}(E/eV)$	16.82 ± 0.07	16.92 ± 0.04	16.96 ± 0.04
significance (σ)	4.0	3.5	7.4
<i>Light component</i>			
γ	-3.05 ± 0.01	-3.18 ± 0.01	-3.21 ± 0.02

KG collab, PASR, 2014

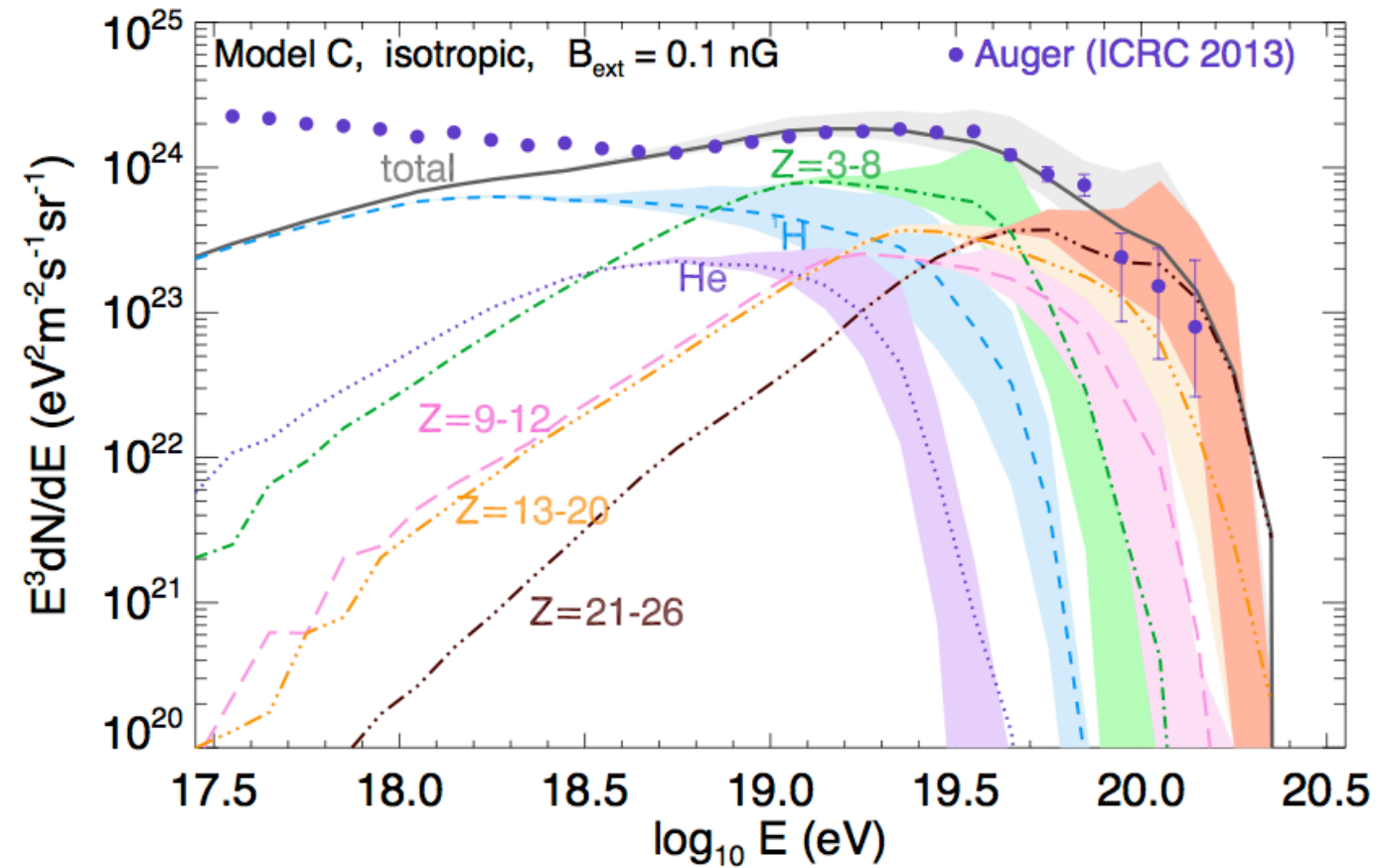
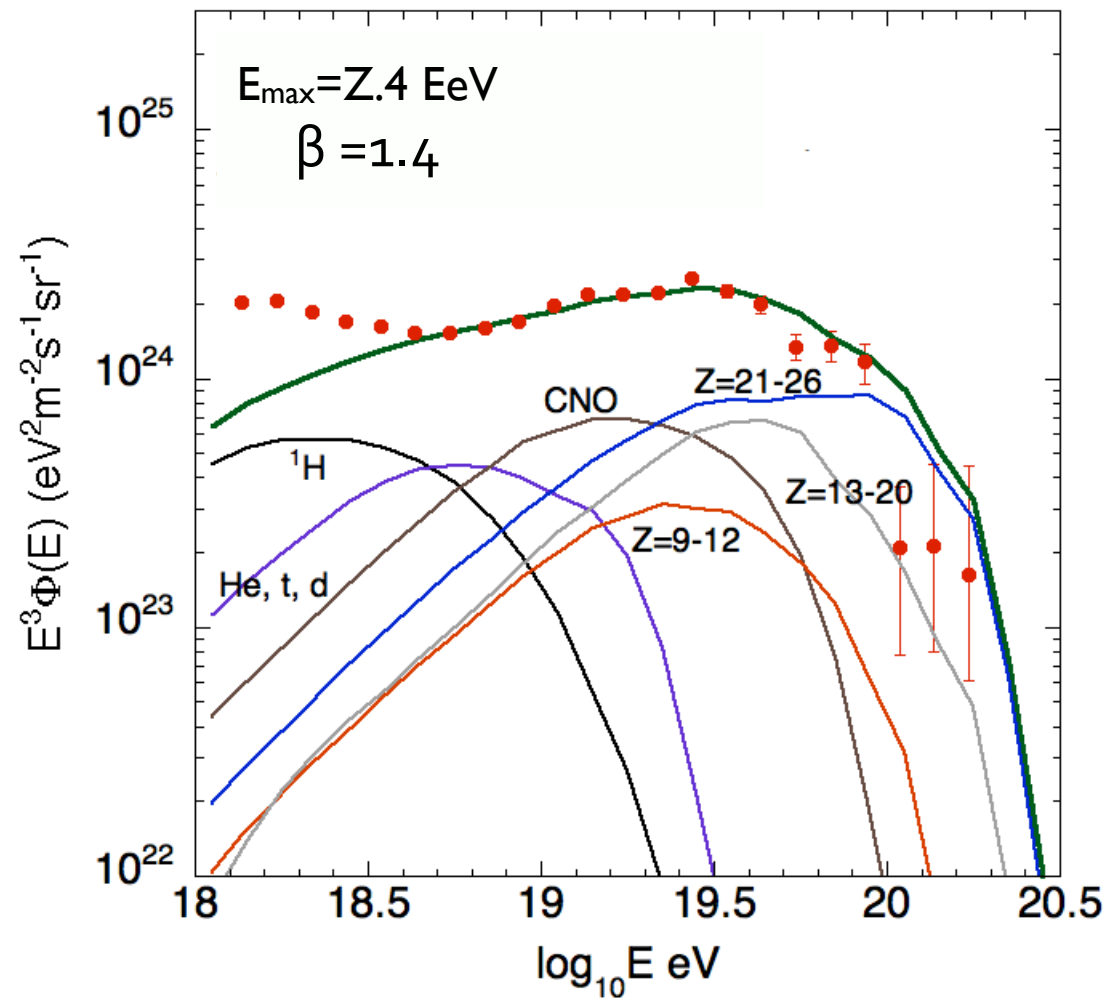
- Significant break of the heavy component (supposed to be Si+Fe) spectrum seen for all hadronic models
- Moderate change of spectral index ~ 0.5 in all cases
- The heavy component does not seem to disappear immediately after its knee (smooth knee rather than sharp)
- The heavy component still seems to be significantly there at 10^{18} eV in all cases
- The hadronic model dependence is mostly found in the relative abundance of the heavy component (not in the existence or the sharpness of the break)

Evidence for a “light ankle”



- A similar analysis showed evidence for an “ankle” in the light component
- The spectral index before the “light ankle” is compatible with the post knee spectral index of the heavy component
- Likely explanation : an extragalactic light component is starting to emerge on top of the light galactic component
==> smooth knee for the light component too ==> post knee protons at $\sim 10^{17}$ eV (?)
- Cross check with other hadronic models ==> the result seems to be confirmed

Consequences for UHECRs phenomenology



In our modeling :

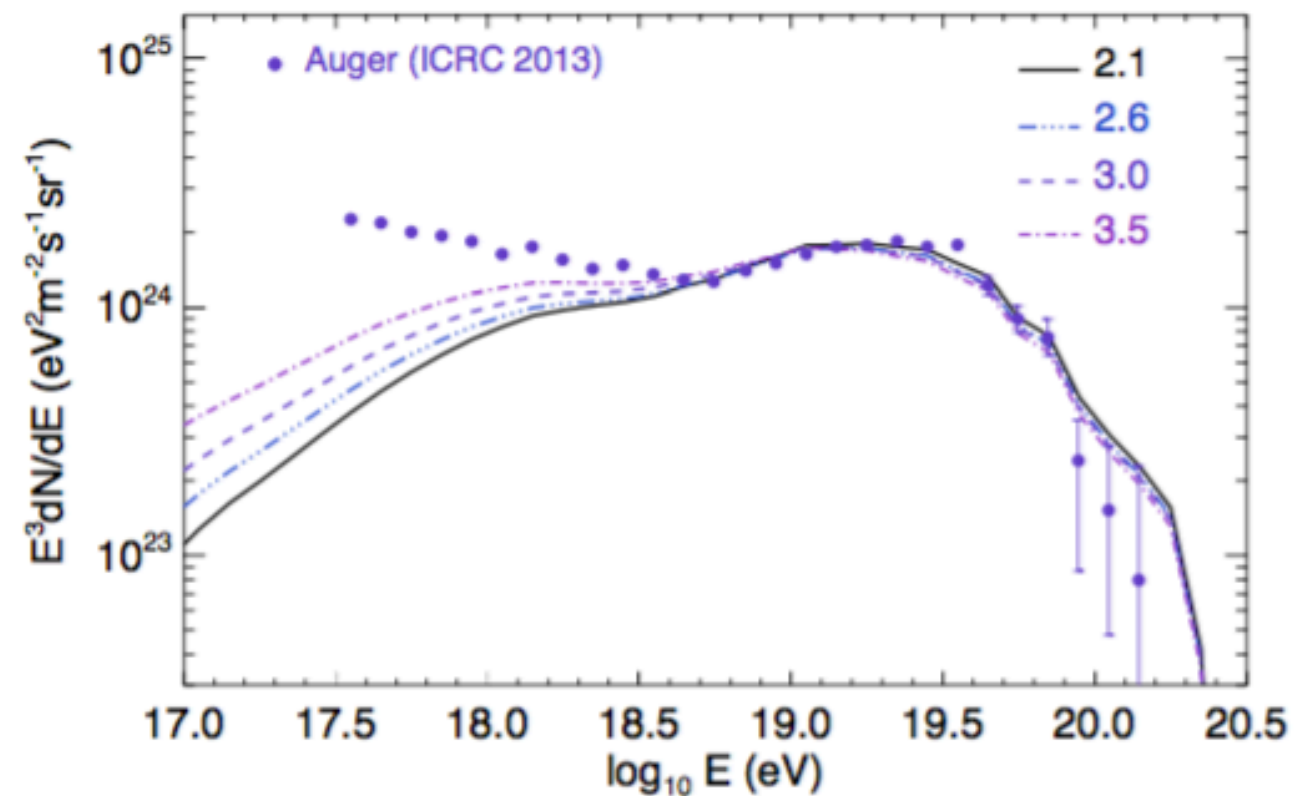
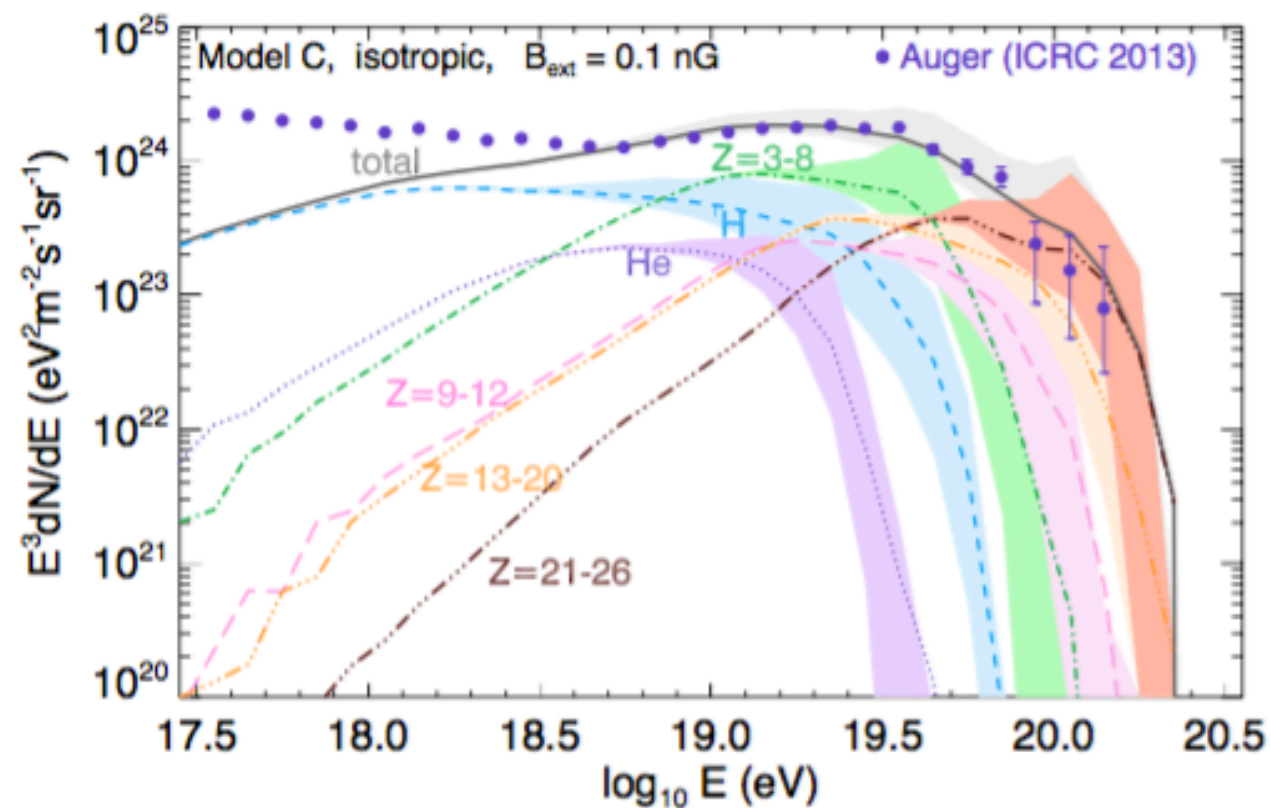
- the proton component is soft due the escape of neutron (close to the spectrum of accelerated cosmic-rays) from the source environment
- heavier nuclei have a much harder spectrum (the escape from the source acts as an high pass filter)

==> provides in a quite natural way the hard source spectrum for nuclei required to fit Auger and the softer proton component required to explain KG observations

In the context of a simple model with all the species having the same spectral no way to explain the emergence of the proton component at 10^{17} eV due to the hard source spectral index required to fit the UHECR spectrum
 ==> some have proposed a second extragalactic component to account for the KG observations

Extragalactic component

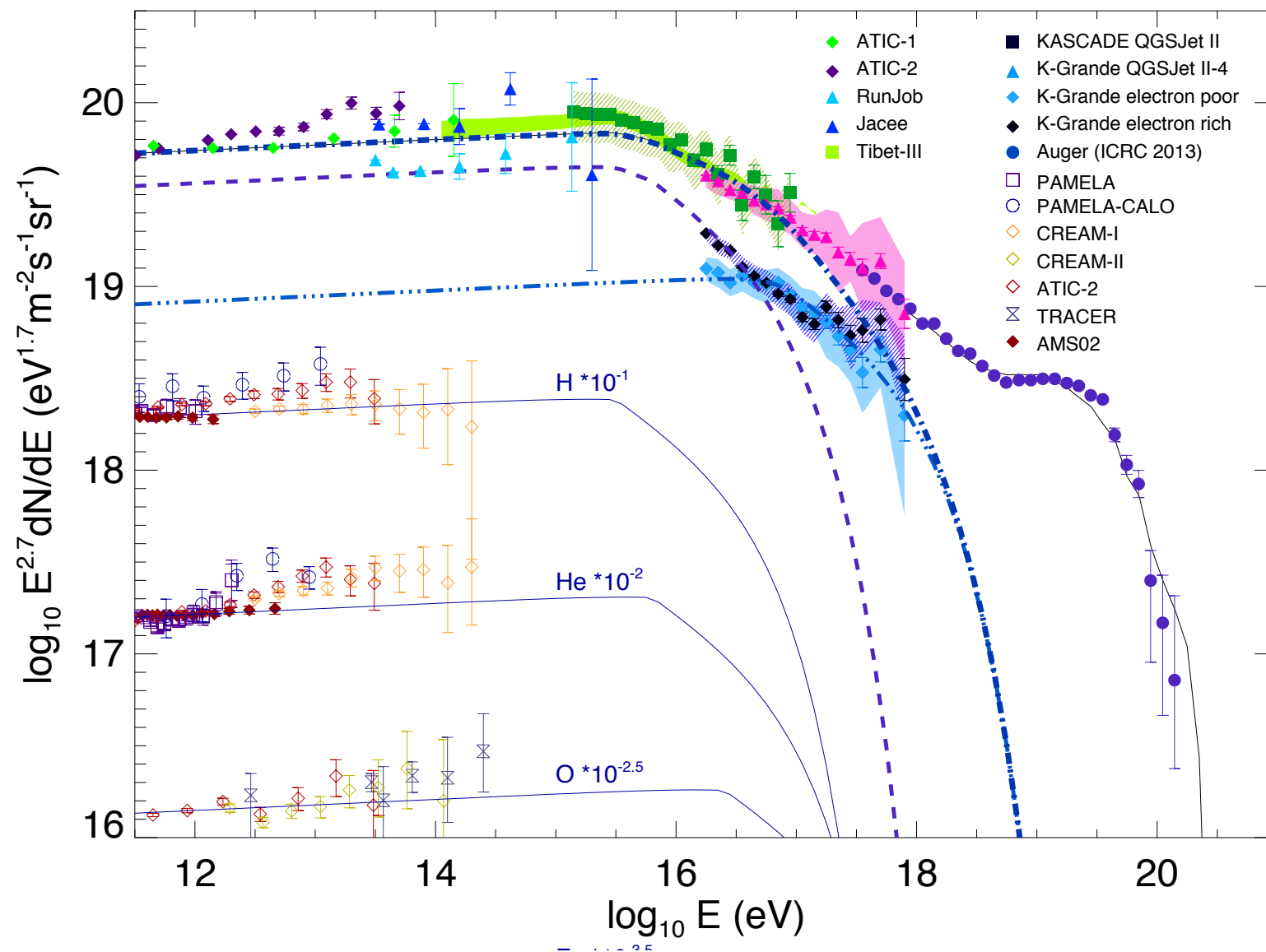
We stick to what was obtained after the study of GRB internal shock only allowing for a change of the assumed cosmological evolution of the source



N. Globus, D. Allard, E. Parizot, Phys. Rev. D - Rapid Comm., 2015

Galactic component

- KG does not suggest any strong asymmetry between the different components
 - the knees of the different components are probably smooth
- ==> we same broken power law for the different species (break at the respective knees)
- We normalize the different component with satellites measurements



$$E_{\text{break}(p)} = 10^{15.5} \text{ eV},$$

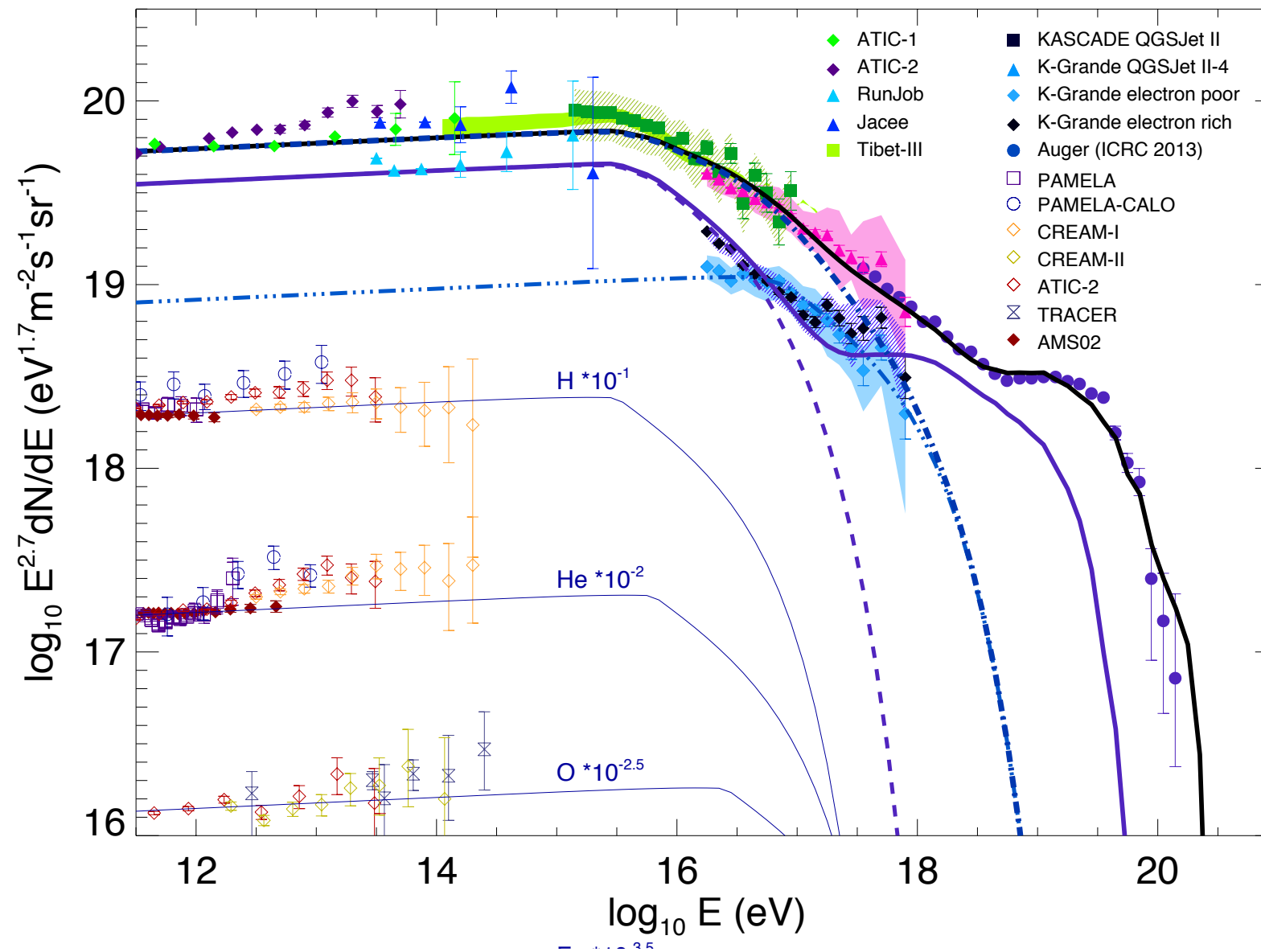
$$x = 2.67, \Delta x = 0.45$$

$$E_{\text{max}(p)} = 6 \cdot 10^{16} \text{ eV}$$

(exponential cutoff above E_{max})

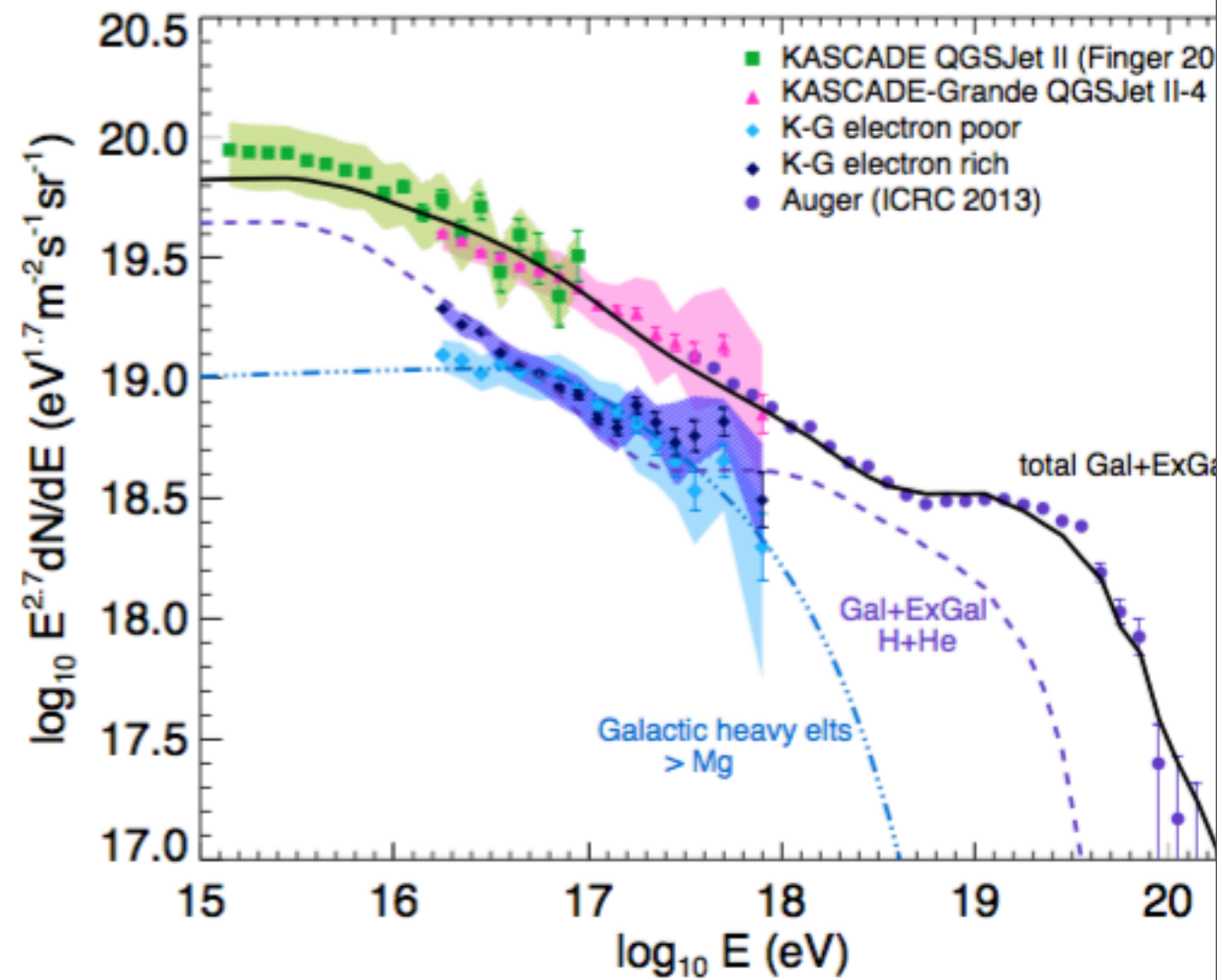
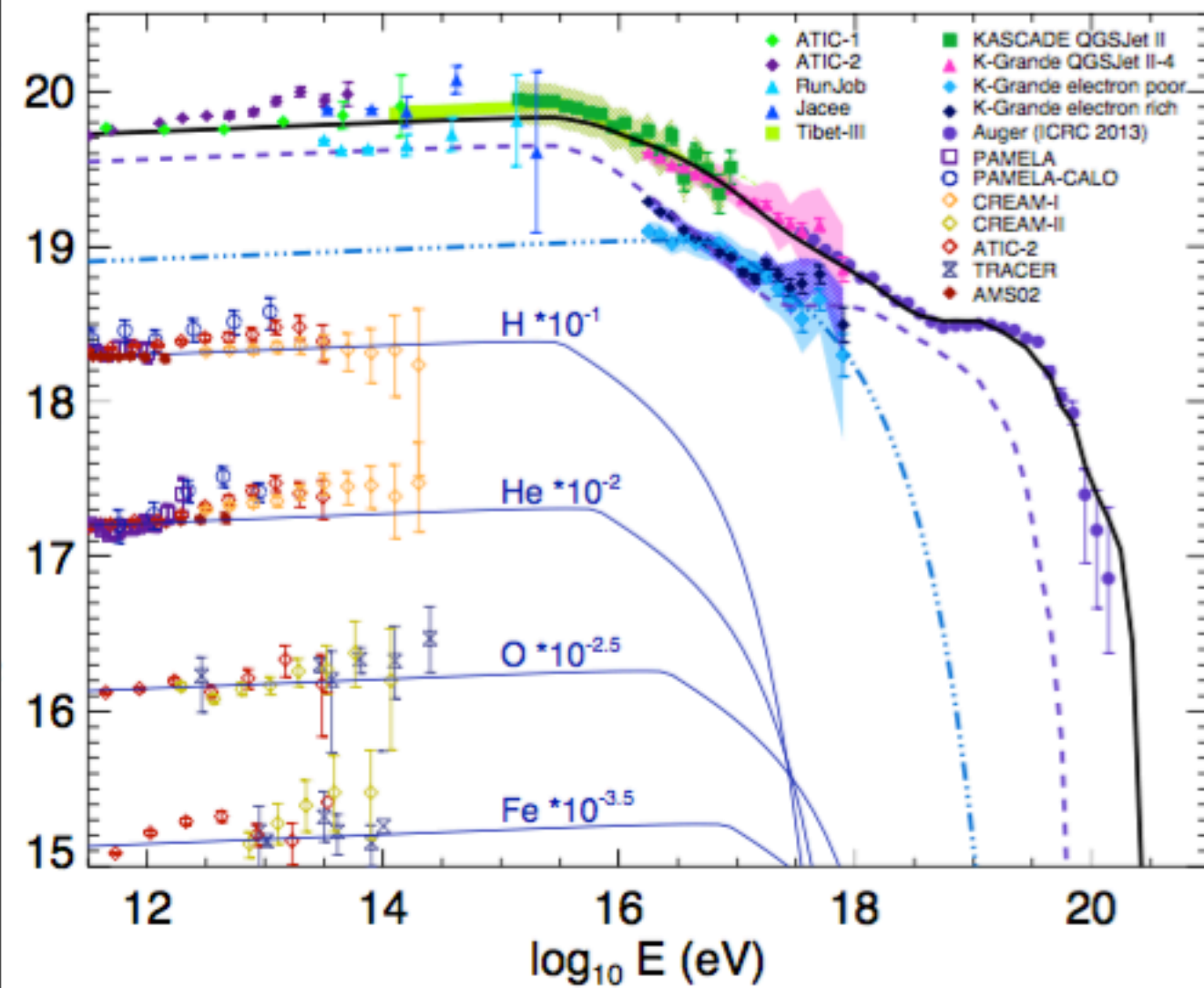
N. Globus, D. Allard, E. Parizot, Phys. Rev. D - Rapid Comm., 2015

Galactic + extragalactic component



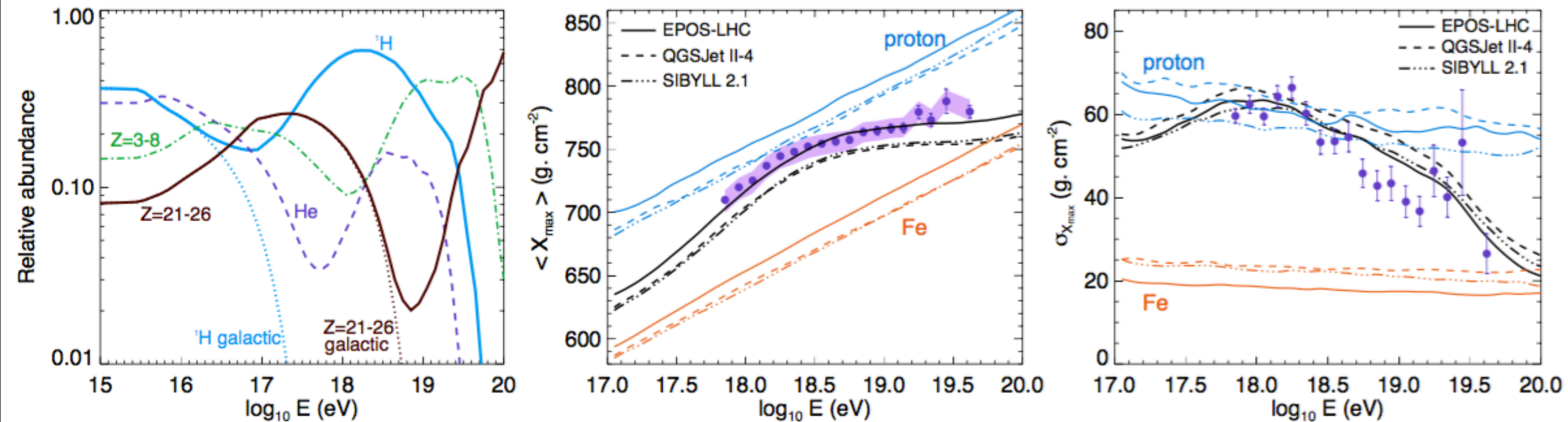
N. Globus, D. Allard, E. Parizot, Phys. Rev. D - Rapid Comm., 2015

Galactic + extragalactic component



N. Globus, D. Allard, E. Parizot, Phys. Rev. D - Rapid Comm., 2015

Evolution of the composition



- Good description of Auger composition observables when using the latest (LHC tested) hadronic models
- Good agreement with more recent Auger analyses (down to 10^{17} eV) and recent LOFAR (radio) measurements
 - NB : Auger and KG composition results are fully coherent when analyzed with the most recent hadronic models

N. Globus, D. Allard, E. Parizot, Phys. Rev. D - Rapid Comm., 2015